Latest measurements on exclusive meson production at LHC

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Comunidad de Madrid

Towards improved hadron femtography with hard exclusive reactions 2023 Jefferson Lab, Newport News, VA August 07–11, 2023











→ fixed target: medium/large x_B, quarks



2



+ fixed target: medium/large x_B , quarks



down to $x_B = 10^{-4}$

2







$$\sim \sim \sim \sim$$

p,

 $W_{\gamma p} = [30, 300] \text{ GeV}$

down to $x_B = 10^{-4}$



large masse mass large mass



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photon virtuality
$$Q^2 < \left(\frac{\hbar c}{R_A}\right)^2$$

 \rightarrow quasi-real photons

maximum photon energy = $\frac{2\gamma\hbar c}{b_{\min}}$

photon flux $\propto Z^2$



large-impact-parameter interactions

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photon virtuality photon virtuality System $\sqrt{s_{AB}}$ → quasi-real photons
→ quasi-real photons $\sim n$ pPb 5.02 TeV $2\gamma\hbar c$ pPb 8.16 TeVmaximum photon energy = maximum photon energy ~ $\gamma \hbar c$ $b_{\overline{\min}} \\ b_{\min}$ $13 {
m TeV}$ pp $2R_A$

flux $\propto Z^2$



Exclusive quarkonium photoproduction: kinematics









Bethe-Heitler process

p(A)



Bethe-Heitler process

p(A)



proton/ion dissociation

p(A)



Bethe-Heitler process



p(A)



Bethe-Heitler process





p(A)

p(A)

μ**+**

μ-

 J/ψ C

inelastic production

























Exclusive single ψ production in pp collisions • Exclusive J/ ψ and ψ (2S): $\sqrt{s} = 7$ TeV and part of $\sqrt{s} = 13$ TeV data (from 2015)

- \rightarrow x_B down to 2x10⁻⁶
- Reconstruction via dimuon decay, with $2 < \eta < 4.5$.
- No other detector activity.
- Quarkonia J// ψ and ψ (2S): 2<y<4.5 and p_T²<0.8 GeV²



large Q^2 large Q^2





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Background: feed down and proton dissociation









pp cross section



JMRT prediction, based on gluon PDF:

At low x_B, approximate GPD to gluon PDF

$$\frac{d\sigma}{dt}\Big|_{t=0} \propto [g(x_B)]^2$$

Z. Phys. C**57** ('93) 89–92; arXiv:1609.09738



Exclusive single Υ production in pp collisions





higher Q² scale



 10^{1}



+ Requirement on forward/backward scintillators and far-foward/backward neutron zero-degree calorimeters (ZDCs)
















large mass large mass









pp: ambiguity in ID of photon emitter

relation pp and γ p cross section:

$$\rightarrow p\psi p = r(W_+)k_+ \frac{\mathrm{d}n}{\mathrm{d}k_+} \sigma_{\gamma p \to \psi p}(W_+) + r(W_-)k_- \frac{\mathrm{d}n}{\mathrm{d}k_-} \sigma_{\gamma p \to \psi p}(W_+) + r(W_+)k_- \frac{\mathrm{d}n}{\mathrm{d}k_-$$

dn

 dk_+

= photon flux













LHCb used HERA data for low- E_{χ} (W_{-}) contribution.





Eur. Phys. J. C 79 ('19) 402



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overall compatibility between pp, Pbp and ep data: hint of universality of underlying physics



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Coherent production

Nuclear GPDs (PDFs at low x_B)



Coherent production



of saturation effect for ions

Coherent photoproduction in PbPb at ALICE



$$R_g = \frac{g^{Pb}}{A \, g^p} \approx 0.65 \text{ at } x \approx 10^7$$

ALICE, Phys. Lett. B 817 (2021) 136280

Coherent photoproduction in PbPb at LHCb: y dependence

$$\sigma_{J/\psi}^{\rm coh} = 5.965$$
$$\sigma_{\psi(2S)}^{\rm coh} = 0.923$$

 $\mathrm{Pb} + \mathrm{Pb} \to \mathrm{Pb} + \mathrm{Pb} + \psi$



 $\pm 0.059 \pm 0.232 \pm 0.262 \,\mathrm{mb}$ $\pm 0.086 \pm 0.028 \pm 0.040 \,\mathrm{mb}$









$$\sigma(y) = N_{\gamma/A}(E_{\gamma,s}) \ \sigma_{J/\psi}(E_{\gamma,s}) + N_{\gamma/A}(E_{\gamma,l}) \ \sigma_{J/\psi}(E_{\gamma,l})$$



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Baltz et. al., PRL 89 (2002) 012301 Guzey et. al. EPJC 74 (2014) 7

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20

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Picture from André Ståhl

Baltz et. al., PRL 89 (2002) 012301 Guzey et. al. EPJC 74 (2014) 7





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CMS central detector and the (far-)forward region



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 $1.6 < |y_{\mu}|$

$$_{\iota^+\mu^-}| < 2.4$$

CMS central detector and the (far-)forward region



$$_{\mu^+\mu^-}| < 2.4$$

$$\sigma^{0n0n}(y) = N^{0n0n}_{\gamma/A}(E_{\gamma,s}) \ \phi$$
$$\sigma^{0nXn}(y) = N^{0nXn}_{\gamma/A}(E_{\gamma,s}) \ \phi$$
$$\sigma^{XnXn}(y) = N^{XnXn}_{\gamma/A}(E_{\gamma,s})$$

measured

 $\sigma_{J/\psi}(E_{\gamma,s}) + N^{0n0n}_{\gamma/A}(E_{\gamma,l}) \sigma_{J/\psi}(E_{\gamma,l})$

 $\sigma_{J/\psi}(E_{\gamma,s}) + N^{0nXn}_{\gamma/A}(E_{\gamma,l}) \sigma_{J/\psi}(E_{\gamma,l})$

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measuredcomputed(StarLight)

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measured computed extracted computed (StarLight) extracted extracted extracted (StarLight) extracted extracted extracted extracted extracted (StarLight) extracted extrac

(StarLight)

CMS: γPb cross section, energy dependence



ALICE: γ Pb cross section, energy dependence



Incoherent production

$$\sigma_{\rm tot} \sim \langle |A|^2 \rangle$$

$$\sigma_{\rm coh} \sim \left| \langle A \rangle \right|^2$$

$$\begin{split} \sigma_{\rm incoh} &\sim \sum_{f \neq i} \left| \langle f | A | i \rangle \right|^2 \\ &= \sum_{f} \langle i | A | f \rangle^{\dagger} \langle f | A | i \rangle - \langle i | A | i \rangle^{\dagger} \langle i | A | i \rangle \\ &= \left(\langle | A |^2 \rangle - | \langle A \rangle |^2 \right) \end{split}$$



average cross sections

average amplitude over target configurations: probes average distributions

Incoherent = difference between both: probes event-by-event fluctuations

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H. Mäntysaari and B. Schenke. Phys. Rev. D 98, 034013 (2018)


Incoherent production measured by ALICE in PbPb



Incoherent production measured by ALICE in PbPb



 $0.3 \times 10^{-3} < x_B < 1.4 \times 10^{-3}$

Summary

- Exclusive single-quarkonium production in pp:
 - unique potential to constrain GPDs at very low x_B , down to 10⁻⁶
 - probe universality
- Exclusive single-quarkonium production in pPb: cleanest channel to probe the proton in hadron-hadron collisions, since absence of ambiguity
- Exclusive single-quarkonium production in PbPb:
 - access to nuclear GPDs
 - potential to probe saturation effects

 - first measurement of the incoherent photonuclear production of J/ ψ by ALICE
- For access to GPDs, need measurements double-differential in y and t.

neutron tagging by CMS and ALICE: intriguing small linear rise of cross section for $W_{\gamma N}$ >40 GeV