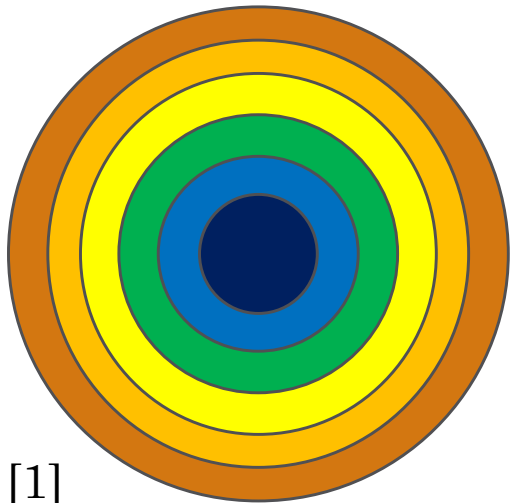


Impact of late time neutrino emission on the DSNB

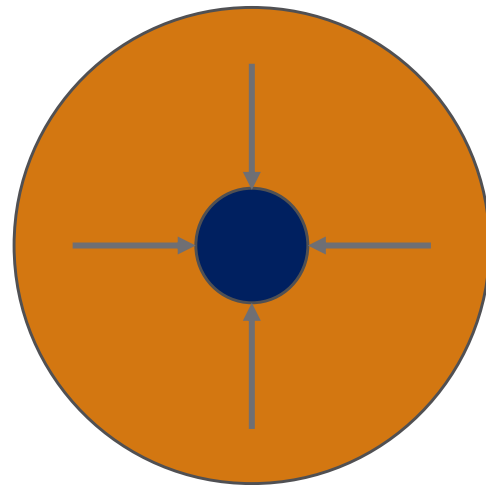
(Ekanger et al., in prep)

Nick Ekanger

Core Collapse Supernovae (CCSNe)

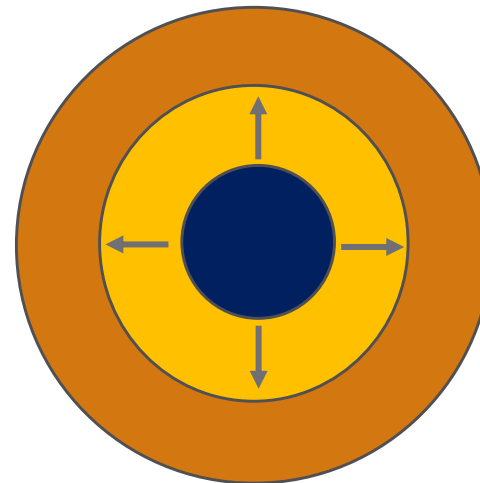


$8 M_{\odot}$, Iron fused in core of progenitor, radiation pressure decreases

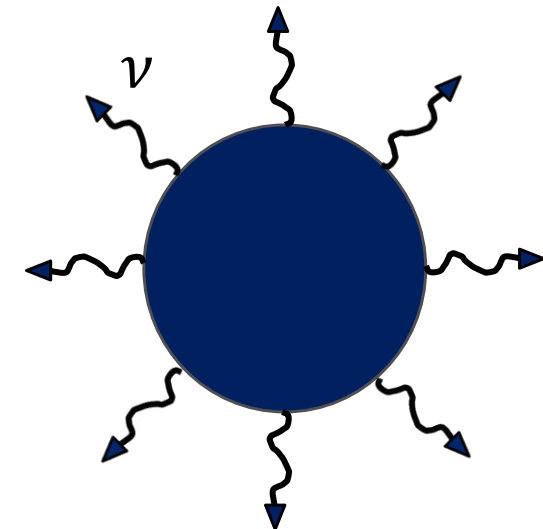


$\sim 1.4 M_{\odot}$ core collapses, $e^{-} + p \rightarrow n + \nu_e$, neutron degeneracy

Infalling material bounces off core, pressure shock wave

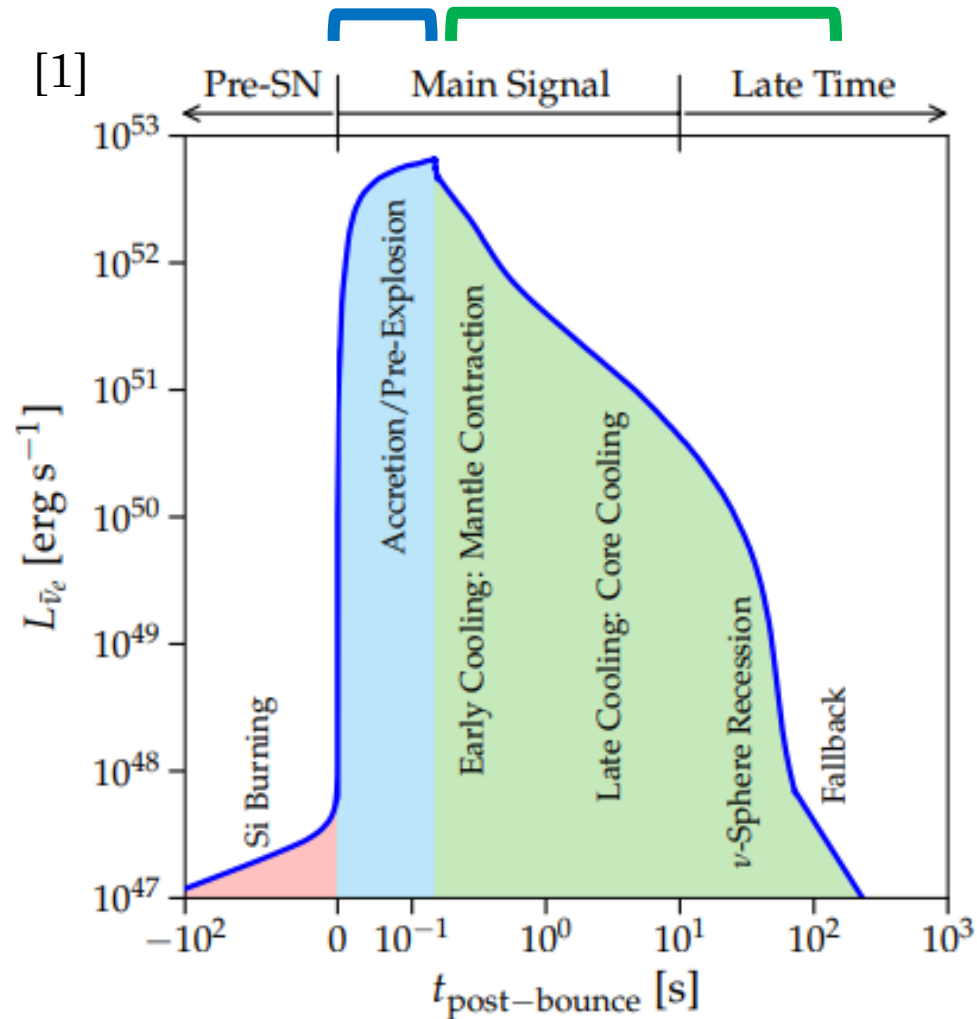


Neutrinos revive shock, cooling protoneutron star



[1] Burrows et al. (2021)

Neutrinos from CCSNe

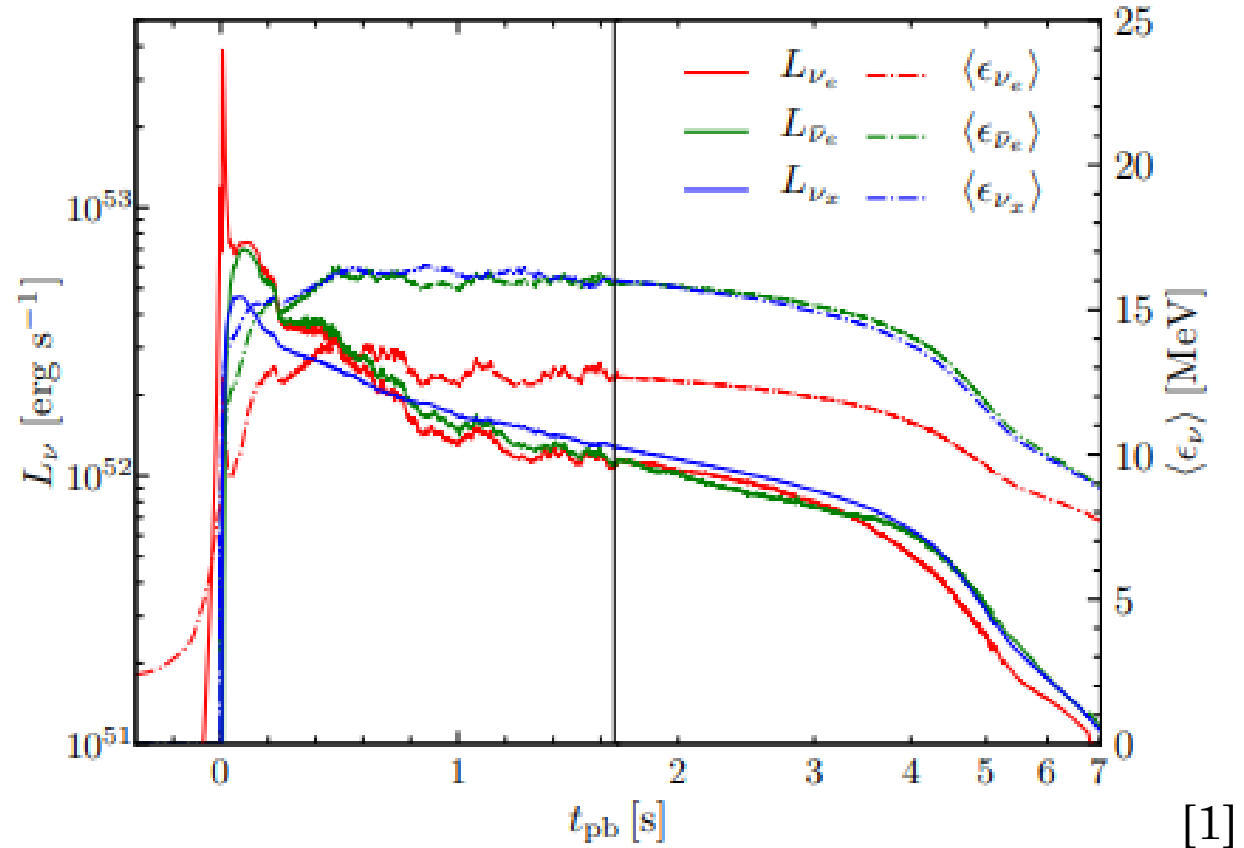


- Early signal:
 - High luminosity, high mean energy from accretion
 - Simulations typically focus on this
- Late signal:
 - After shock revival, PNS cools
 - Luminosity and mean energy decrease
- SN1987A only case of SN neutrinos

[1] Li et al. (2021)

Neutrinos from Simulation

- Estimate neutrino emission from simulations:
 - Robust, dynamic mass accretion phase
 - Few with long term cooling components

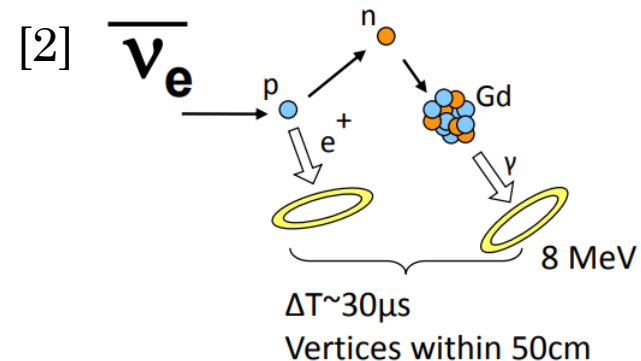
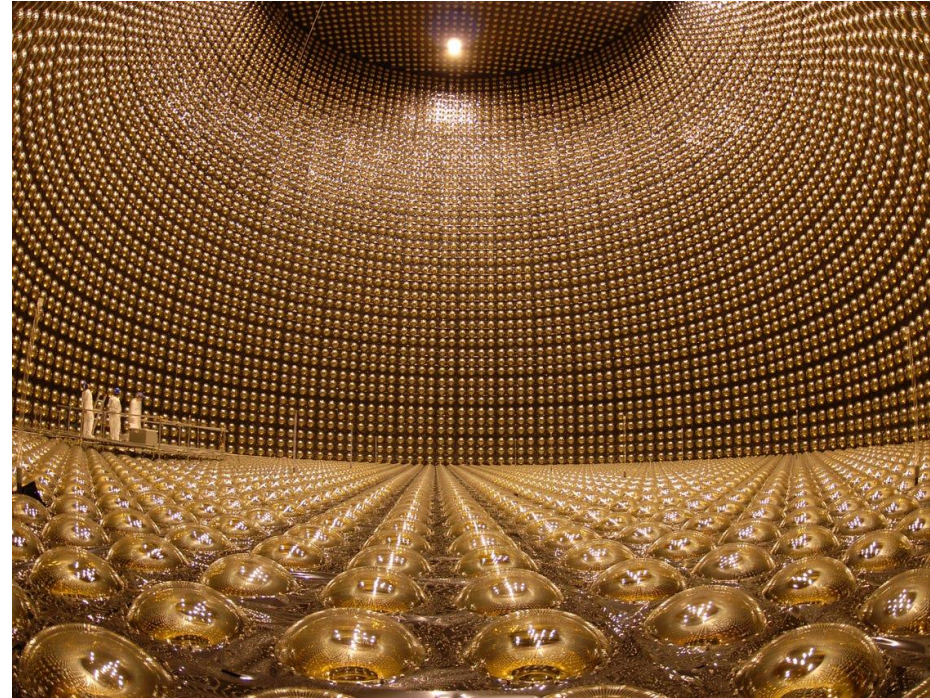


[1] Bollig et al. (2021)

Diffuse Supernova Neutrino Background (DSNB)

- Sum distribution of CCSNe over cosmological history
 - Individual CCSNe events cannot be detected
- Detectable at SK through IBD
 - $\bar{\nu}_e + p \rightarrow e^+ + n$
 - Gadolinium upgrade (SK-Gd)

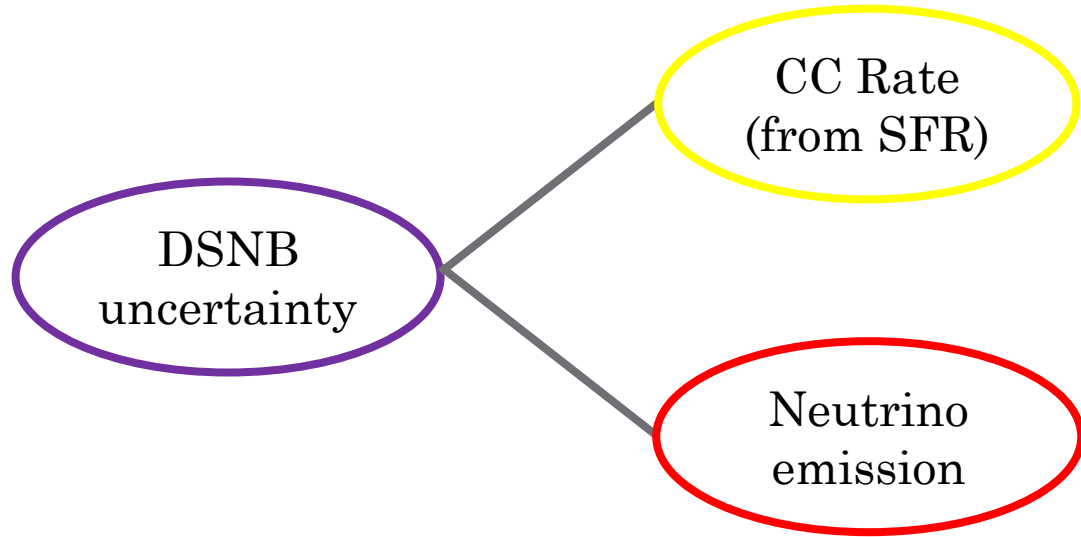
[1]



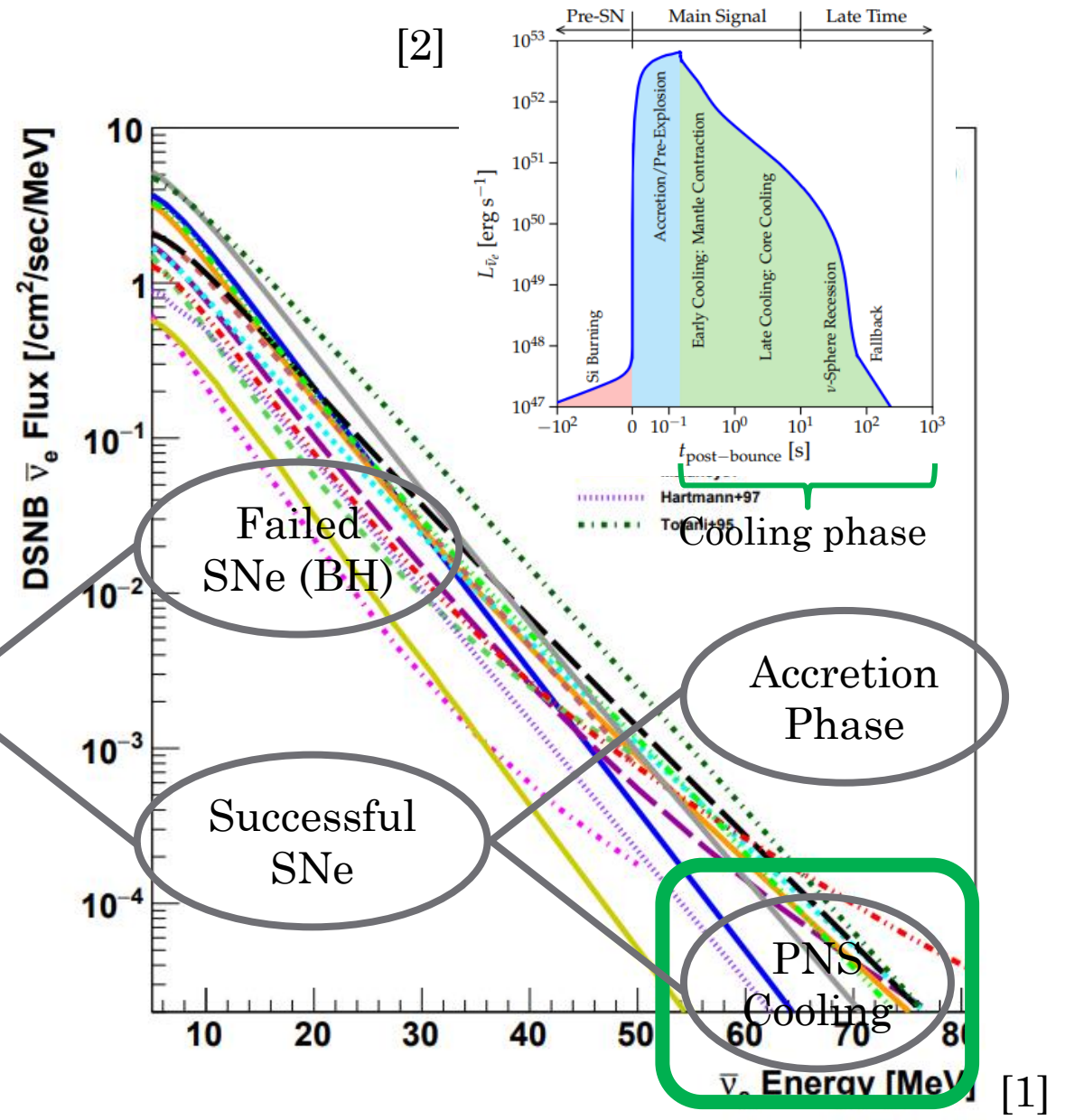
[1] <https://www.businessinsider.com/super-kamiokande-neutrino-detector-is-unbelievably-beautiful-2018-6>

[2] https://www.mpi-hd.mpg.de/WIN2015/talks/neutrino2_ikeda.pdf

DSNB Uncertainty



$$\frac{d\phi}{dE} = c \int R_{CC}(z) \frac{dN}{dE'} (1+z) \left| \frac{dt}{dz} \right| dz$$

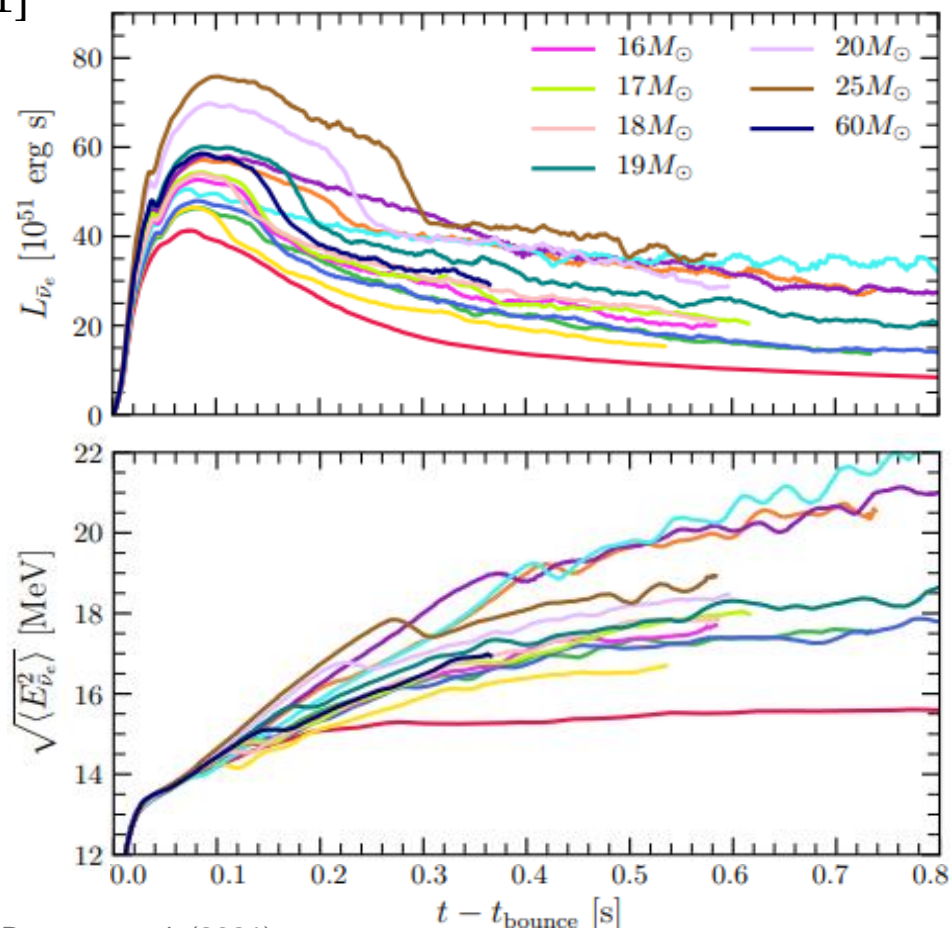


[1] Abe et al. (2021)

[2] Li et al. (2021)

First, Set the Stage

[1]



[1] Burrows et al. (2021)

[2] Yuksel et al. (2008), Horiuchi et al. (2011)

[3] Hudepohl (2014)

• Our Model

- 3D simulations give neutrino emission for accretion phase
- Assume standard SFR [2]
- Neutrino emission from BH
 - Choose conservative BH fraction: ($M > 40 M_{\odot}$, $\sim 10\%$)
 - Signal from two $40 M_{\odot}$ [3] simulations
- Need cooling phase neutrino emission

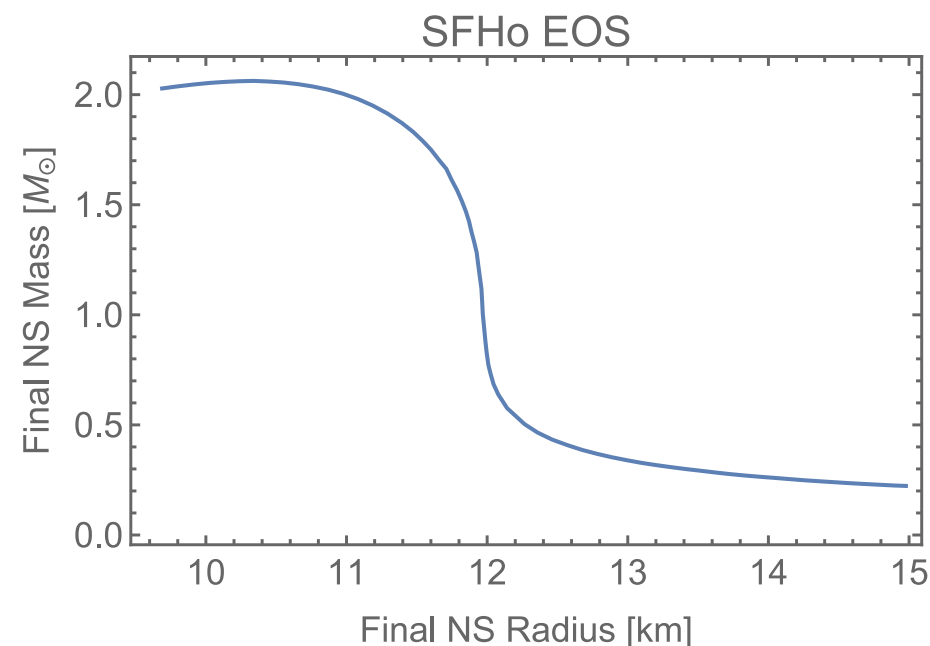
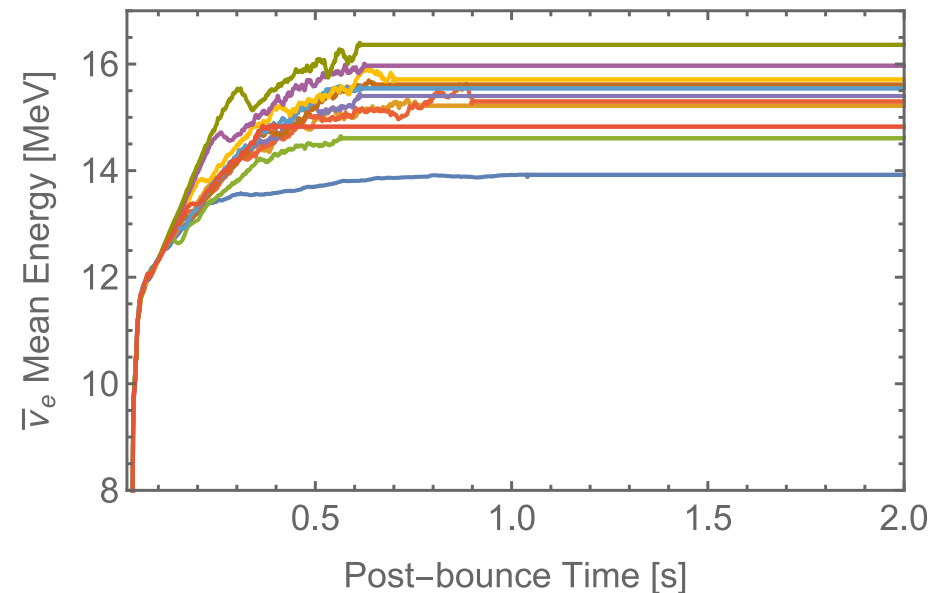
Estimate Cooling Phase 5 Ways

- Need mean energy and energy liberated by neutrinos
 - $\gtrsim 50\%$ of energy liberation occurs in cooling phase!
- Without many long-term multi-dimensional simulations, we estimate the cooling phase by:
 1. Constant mean energy
 2. Analytical solution
 3. Correlation method
 4. Renormalized correlation methods
 - Shen EOS
 - LS220 EOS

Constant Mean Energy

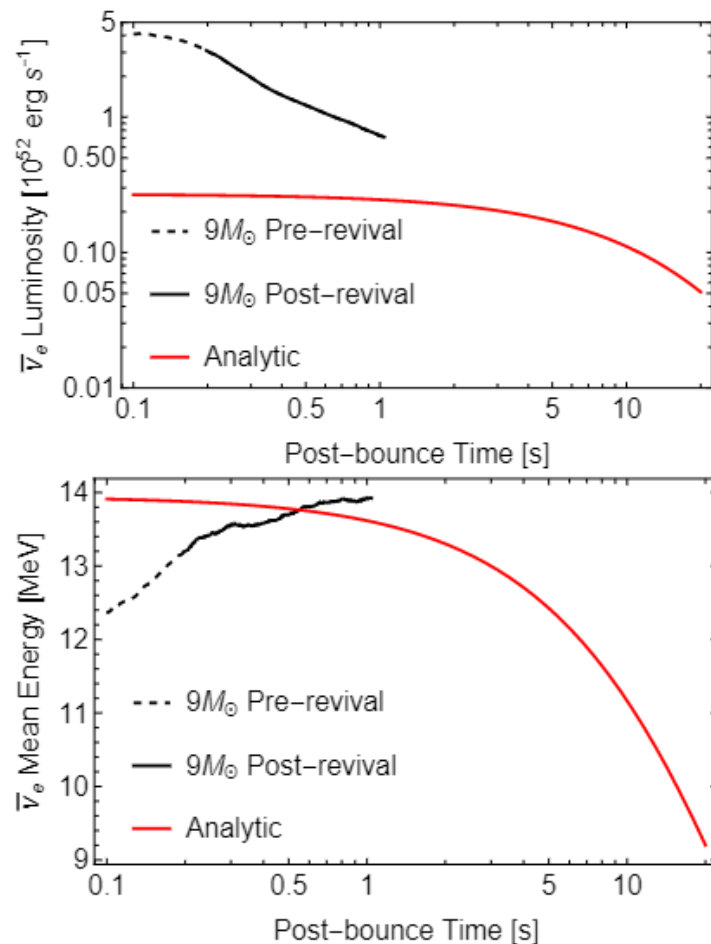
(‘Const’)

- Mean energy:
 - Assume it retains value at end of simulation
 - Expected to reduce as PNS cools, so represents upper limit
- Liberated energy:
 - Assume \sim energy liberated = gravitational binding energy
 - Determined from PNS mass/radius and SFHo EOS



Analytic Solution

(‘Analyt’)



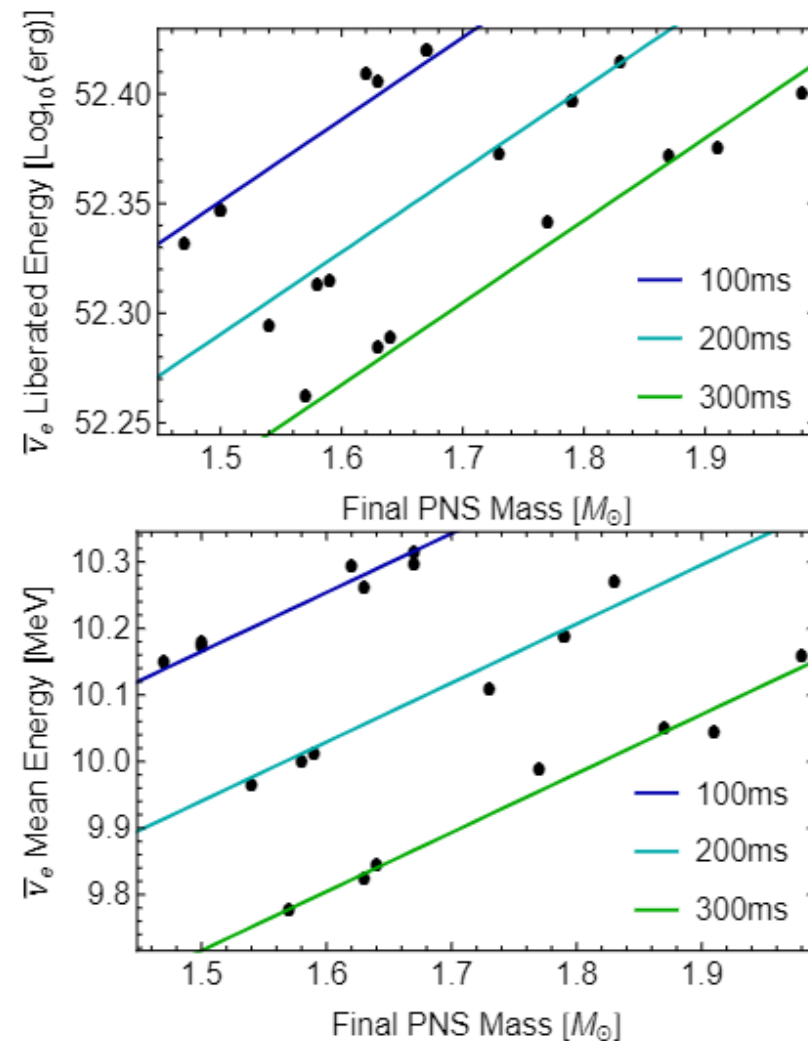
- Analytic function to estimate ^[1] neutrino luminosity and mean energy
 - PNS info: mass, radius, total energy liberated
 - + correction factors for density (g) and scattering off heavy nuclei (β)
- g , β adjusted to best fit mean energy
- Mean energy \sim reasonable, but luminosity fit is poor
 - Despite this, integrating luminosity \sim grav binding energy

[1] Suwa et al. (2021)

Final Mass-Revival Time Correlation

(‘Corr’)

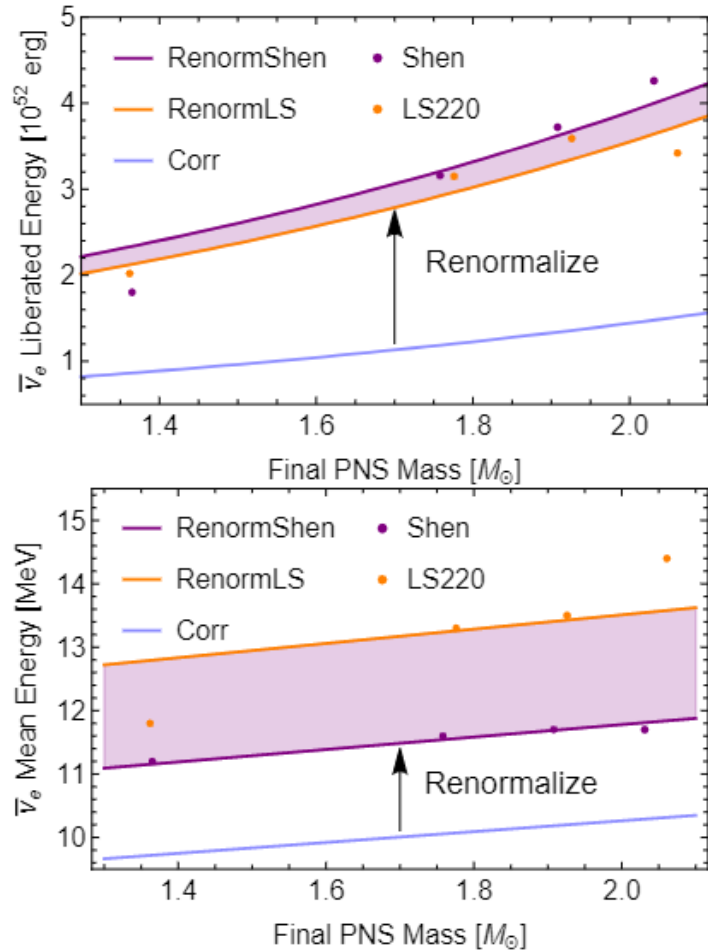
- Found linear correlation with 1D cooling phase sims [1]
 - ‘Supernova Neutrino Database’
 - Both mean energy and log of liberated energy
- Greater final mass \rightarrow greater neutrino emission
- Earlier revival time \rightarrow greater neutrino emission



[1] Nakazato et al. (2013)

Renormalized Correlations

(‘RenormShen/LS’)



- Neutrino emission from ‘Corr’ method systematically lower than others
- Renormalize correlations to another simulation suite ^[1]
 - Re-fit through data well
 - Depends on EOS:
 - Mean energy differences are large

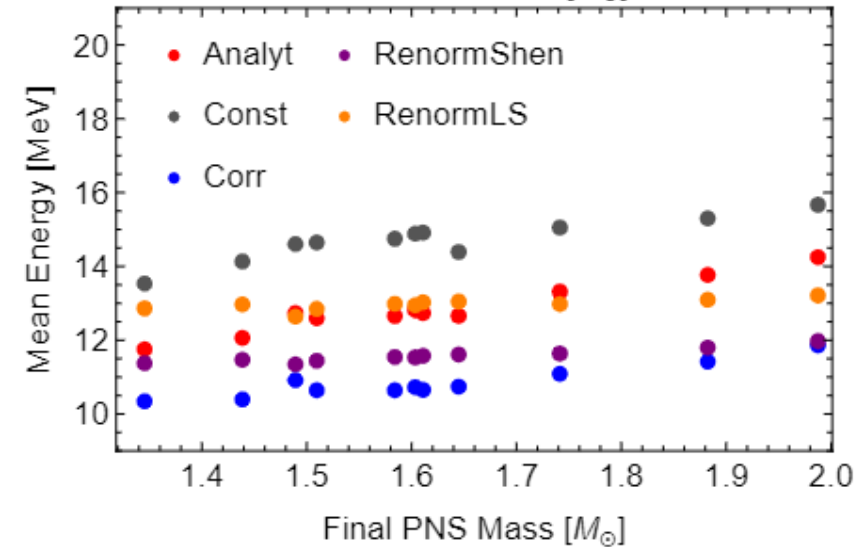
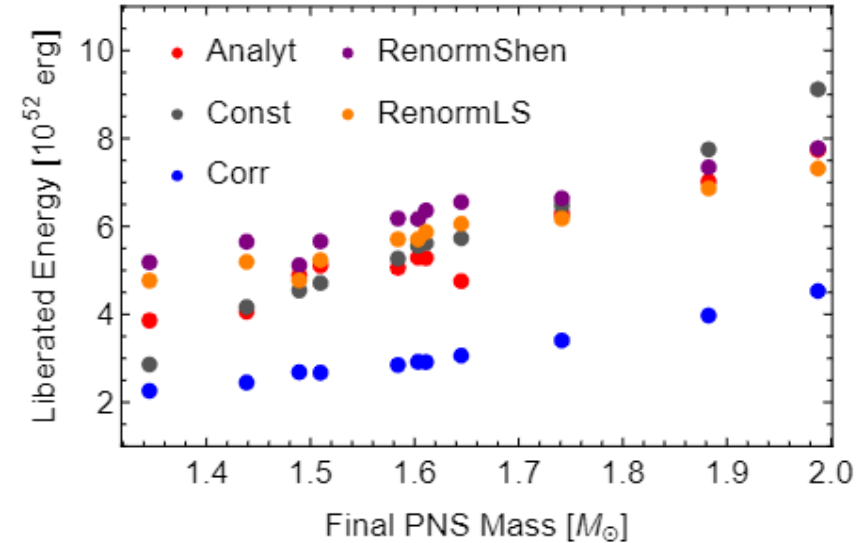
[1] Hudepohl (2014)

Results

- ‘Corr’ / ‘Const’ are lower / upper estimates
- Liberated energies similar
 - Mean energies drive differences in event rates
- Factor of ~ 3 difference in event rates (R_ν) and flux (ϕ)

Strategy	s40 BH		s40s7b2 BH	
	R_ν [/yr]	ϕ [/cm ² /s]	R_ν [/yr]	ϕ [/cm ² /s]
Const	2.69	1.02	2.45	0.90
Analyt	2.12	0.74	1.88	0.63
Corr	1.10	0.37	0.86	0.26
RenormShen	1.86	0.60	1.62	0.49
RenormLS	2.17	0.75	1.93	0.63

Total $\bar{\nu}_e$ energies: early hydro data + late cooling estimations (~ 0 -20s post-bounce)



Conclusion

- Factor of ~ 3 difference in predicted DSNB rates at SK-Gd
 - Under current SK flux limits [1]
 - Comes primarily from uncertainty in cooling phase mean energy

Strategy	s40 BH		s40s7b2 BH	
	R_ν [/yr]	ϕ [/cm ² /s]	R_ν [/yr]	ϕ [/cm ² /s]
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- In absence of many long-term, multidimensional simulations
 - Among 5 methods, recommend ‘RenormLS’
 - Recommend ‘Analyt’ if more simulation data is available

[1] Abe et al. (2021)

Thank you!