

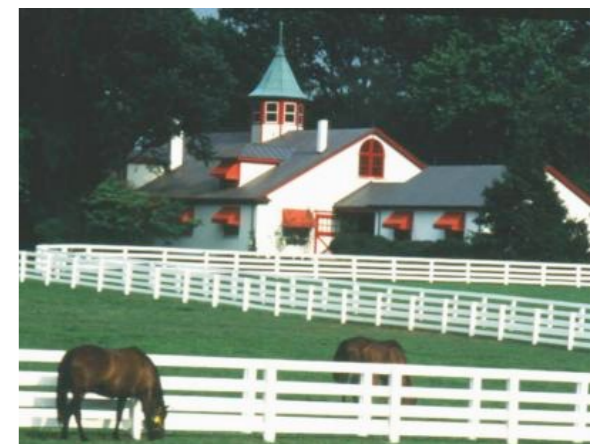
A ν Leaf: How to Search for Majorana Dynamics at Low-Energy Accelerators

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Based on work in collaboration with Xinshuai Yan (U. Kentucky)

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Fundamental Majorana Dynamics

Can exist for electrically neutral massive fermions:
either leptons (ν 's) or combinations of quarks (n 's)

Lorentz invariance allows

$$\mathcal{L} = \bar{\psi} i \not{\partial} \psi - \frac{1}{2} m (\psi^T C \psi + \bar{\psi} C \bar{\psi}^T)$$

[Majorana, 1937]

where m is the Majorana mass.

N.B. a “Majorana neutron” is an entangled n and \bar{n} state

Bibliography:

S.G. & Xinshuai Yan (U. Kentucky), Phys. Rev. D93, 096008 (2016) [arXiv:1602.00693];

S.G. & Xinshuai Yan, Phys. Rev. D97, 056008 (2018) [arXiv:1710.09292];

S.G. & Xinshuai Yan, Phys. Lett. B790 (2019) 421 [arXiv:1808.05288];

and on ongoing work in collaboration with Xinshuai Yan

Why Search for n - \bar{n} Oscillations?

The Standard Model (SM) cannot explain the origin of the cosmic BAO, dark matter, or dark energy.

B violation plays a role in at least one of these puzzles.

Although B violation appears in the SM (sphalerons),

[Kuzmin, Rubakov, & Shaposhnikov, 1985]

we know nothing of its pattern at accessible energies.

Do processes occur with $|\Delta B|=1$ or $|\Delta B|=2$ or both?

The SM conserves B-L, but does Nature?

Despite severe limits on $|\Delta B|=1$ processes, the origin of

$|\Delta B|=2$ processes can be completely distinct

[Marshak and Mohapatra, 1980; Babu & Mohapatra, 2001 & 2012; Arnold, Fornal, & Wise, 2013]

If neutron-antineutron oscillations, e.g., are observed, then B-L is broken, and we have found physics BSM!

On Neutrinoless Double Beta ($0\nu \beta\beta$) decay

If observed, the ν has a Majorana mass

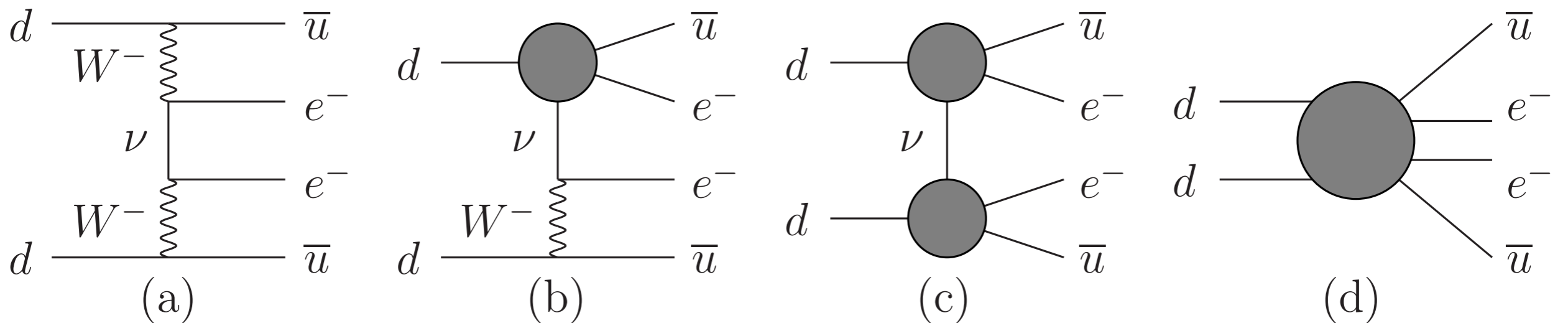
[Schechter & Valle, 1982]

$0\nu \beta\beta$ mediated by a dimension 9 operator:

$$\mathcal{O} \propto \bar{u}\bar{u}dd\bar{e}\bar{e}$$

(or $\pi^- \pi^- \rightarrow e^- e^-$)

“mass mechanism”



“long range”

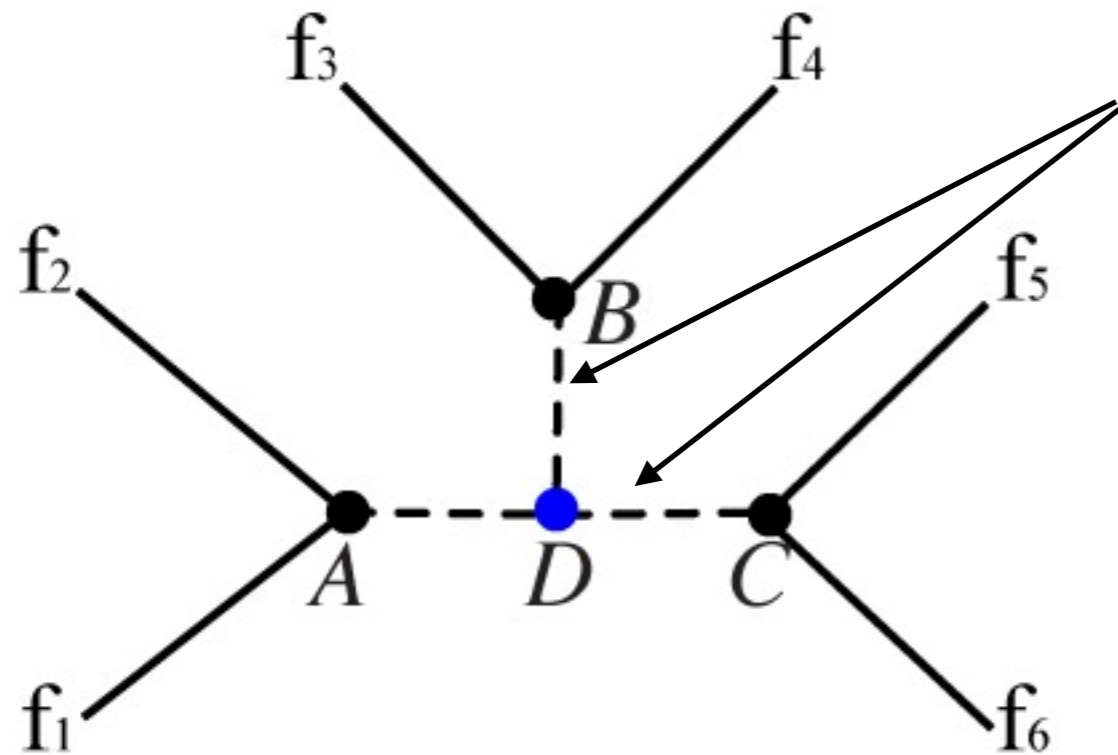
“short range”

[Bonnet, Hirsch, Ota, & Winter, 2013]

$0\nu \beta\beta$ Decay in Nuclei

Can be mediated by “short-” or “long”-range mechanisms

The “short-range” mechanism involves new B-L violating dynamics; e.g.,



S or V that carries B or L

For choices of fermions f_i this decay topology can yield $n-\bar{n}$ or $0\nu \beta\beta$ decay

[Bonnet, Hirsch, Ota, & Winter, 2013]

Can we relate the possibilities in a data-driven way?

[Yes!] [S.G. & Xinshuai Yan, 2019]

Cf. connection via $|\Delta B|=1$ process
[Babu & Mohapatra, 2015]

Nucleon-Antinucleon Transitions

Can be realized in different ways

Enter searches for

- neutron-antineutron oscillations (free n's & in nuclei)

“spontaneous”
& thus sensitive to
environment

$$\mathcal{M} = \begin{pmatrix} M_n - \mu_n B & \delta \\ \delta & M_n + \mu_n B \end{pmatrix}$$

$$P_{n \rightarrow \bar{n}}(t) \simeq \frac{\delta^2}{2(\mu_n B)^2} [1 - \cos(2\mu_n B t)]$$

- dinucleon decay (in nuclei)
(limited by finite nuclear density)
- nucleon-antinucleon conversion (NEW!)
(mediated by external interactions) [SG & Xinshuai Yan]

Effective Lagrangian

Neutron interactions with B-L violation & electromagnetism

$$\mathcal{L}_{\text{eff}} \supset -\frac{1}{2}\mu_n \bar{n} \sigma^{\mu\nu} n F_{\mu\nu} - \frac{\delta}{2} n^T C n - \frac{\eta}{2} n^T C \gamma^\mu \gamma^5 n j_\mu + \text{h.c.}$$

magnetic moment

$n \rightarrow \bar{n}$

$n \rightarrow \bar{n}$

conversion

“spontaneous” \longrightarrow oscillation

[SG & Xinshuai Yan, arXiv: 1710.09292]

Since the quarks carry electric charge,
a BSM model that generates neutron-
antineutron oscillations can also
generate conversion

Neutron-Antineutron Conversion

Different mechanisms are possible

* $n-\bar{n}$ conversion and oscillation could share the same “TeV” scale BSM sources

→ Then the quark-level conversion operators can be derived noting the quarks carry electric charge

* $n-\bar{n}$ conversion and oscillation could come from different BSM sources

→ Indeed different $|\Delta B|=2$ processes could appear (e.g., $e^- p \rightarrow e^+ \bar{p}$)

$N\bar{N}$ conversion

Neutron-Antineutron Oscillation

Quark-level operators

[Rao & Shrock, 1982]

$$(\mathcal{O}_1)_{\chi_1\chi_2\chi_3} = [u_{\chi_1}^{T\alpha} C u_{\chi_1}^\beta][d_{\chi_2}^{T\gamma} C d_{\chi_2}^\delta][d_{\chi_3}^{T\rho} C d_{\chi_3}^\sigma](T_s)_{\alpha\beta\gamma\delta\rho\sigma},$$

$$(\mathcal{O}_2)_{\chi_1\chi_2\chi_3} = [u_{\chi_1}^{T\alpha} C d_{\chi_1}^\beta][u_{\chi_2}^{T\gamma} C d_{\chi_2}^\delta][d_{\chi_3}^{T\rho} C d_{\chi_3}^\sigma](T_s)_{\alpha\beta\gamma\delta\rho\sigma},$$

$$(T_s)_{\alpha\beta\gamma\delta\rho\sigma} = \epsilon_{\rho\alpha\gamma}\epsilon_{\sigma\beta\delta} + \epsilon_{\sigma\alpha\gamma}\epsilon_{\rho\beta\delta} + \epsilon_{\rho\beta\gamma}\epsilon_{\sigma\alpha\delta} + \epsilon_{\sigma\beta\gamma}\epsilon_{\rho\alpha\delta},$$

Note

$$\mathcal{O}_2 \rightarrow \mathcal{O}_3$$

$$T_s \rightarrow T_a$$

$$(T_a)_{\alpha\beta\gamma\delta\rho\sigma} = \epsilon_{\rho\alpha\beta}\epsilon_{\sigma\gamma\delta} + \epsilon_{\sigma\alpha\beta}\epsilon_{\rho\gamma\delta}$$

✿ Only 14 of 24 operators are independent

$$(\mathcal{O}_1)_{\chi_1 LR} = (\mathcal{O}_1)_{\chi_1 RL}, \quad (\mathcal{O}_{2,3})_{LR\chi_3} = (\mathcal{O}_{2,3})_{RL\chi_3},$$

$$(\mathcal{O}_2)_{mmn} - (\mathcal{O}_1)_{mmn} = 3(\mathcal{O}_3)_{mmn} \quad [\text{Caswell, Milutinovic, \& Senjanovic, 1983}]$$

✿ Only 4 appear in SM effective theory

[Rao & Shrock, 1982]

From Oscillation to Conversion

Quark-level operators: compute $q^\rho(p) + \gamma(k) \rightarrow \bar{q}^\delta(p')$

$$\mathcal{H}_I \supset \frac{\delta_q}{2} \sum_{\chi_1} (\psi_{\chi_1}^{\rho T} C \psi_{\chi_1}^\delta + \bar{\psi}_{\chi_1}^\delta C \bar{\psi}_{\chi_1}^{\rho T}) + Q_\rho e \sum_{\chi_2} \bar{\psi}_{\chi_2}^\rho \not{A} \psi_{\chi_2}^\rho + Q_\delta e \sum_{\chi_3} \bar{\psi}_{\chi_3}^\delta \not{A} \psi_{\chi_3}^\delta,$$

flavor

chiral basis

matrix element:

$$\langle \bar{q}^\delta(p') | T \left(\sum_{\chi_1, \chi_2} \left(-i \frac{\delta_q}{2} \int d^4 x \psi_{\chi_1}^{\rho T} C \psi_{\chi_1}^\delta \right) \times \left(-i Q_\rho e \int d^4 y \bar{\psi}_{\chi_2}^\rho \not{A} \psi_{\chi_2}^\rho - i Q_\delta e \int d^4 y \bar{\psi}_{\chi_2}^\delta \not{A} \psi_{\chi_2}^\delta \right) \right) \times |q^\rho(p) \gamma(k)\rangle,$$

✿ if $\delta = \rho$
yields

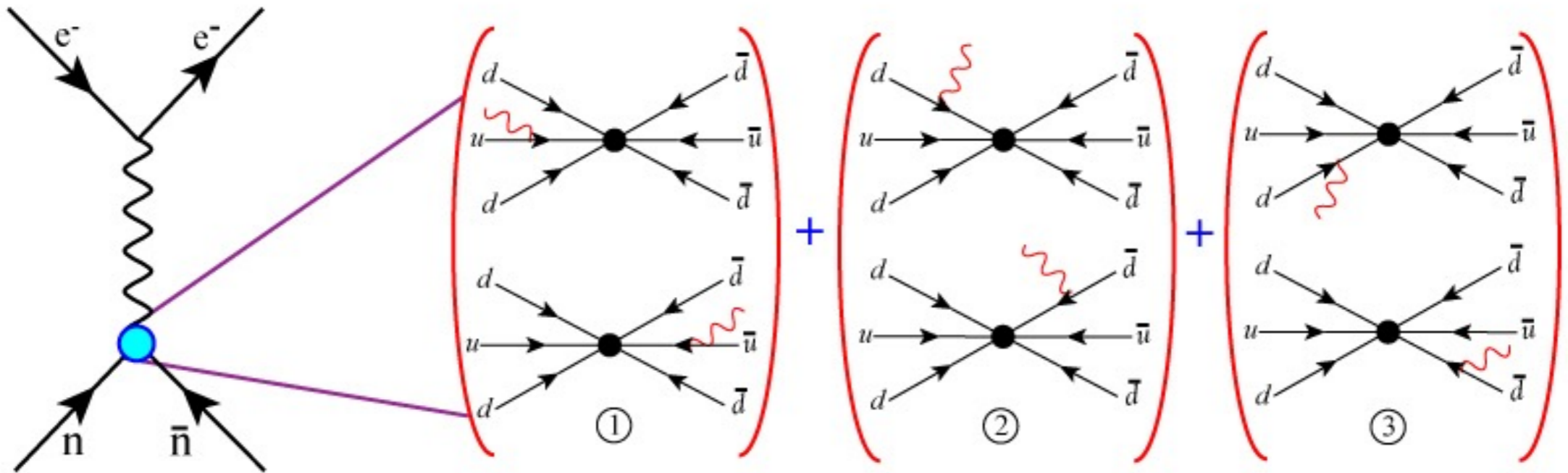
C $\gamma_\mu \gamma_5$ only

Effective vertex

$$-\frac{m \delta_q e}{p^2 - m^2} (Q_\rho \psi_{-\chi_2}^{\delta T} C \gamma^\mu \psi_{\chi_2}^\rho - Q_\delta \psi_{\chi_2}^{\delta T} C \gamma^\mu \psi_{-\chi_2}^\rho),$$

B-L Violation via e-n scattering

Linking neutron-antineutron oscillation to conversion



e.g.:

$$(\mathcal{O}_2)_{\chi_1 \chi_2 \chi_3} = [u_{\chi_1}^{T\alpha} C d_{\chi_1}^\beta] [u_{\chi_2}^{T\gamma} C d_{\chi_2}^\delta] [d_{\chi_3}^{T\rho} C d_{\chi_3}^\sigma] (T_s)_{\alpha\beta\gamma\delta\rho\sigma}$$

[Rao & Shrock, 1982]

$$\begin{aligned}
 (\tilde{\mathcal{O}}_2)_{\chi_1 \chi_2 \chi_3}^{\chi\mu} = & \left[[u_{-\chi}^{\alpha T} C \gamma^\mu \gamma_5 d_\chi^\beta - 2u_\chi^{\alpha T} C \gamma^\mu \gamma_5 d_{-\chi}^\beta] [u_{\chi_2}^{\gamma T} C d_{\chi_2}^\delta] [d_{\chi_3}^{\rho T} C d_{\chi_3}^\sigma] \right. \\
 & + [u_{\chi_1}^{\alpha T} C d_{\chi_1}^\beta] [u_{-\chi}^{\gamma T} C \gamma^\mu \gamma_5 d_\chi^\delta - 2u_\chi^{\gamma T} C \gamma^\mu \gamma_5 d_{-\chi}^\delta] [d_{\chi_3}^{\rho T} C d_{\chi_3}^\sigma] \\
 & \left. + [u_{\chi_1}^{\alpha T} C d_{\chi_1}^\beta] [u_{\chi_2}^{\gamma T} C d_{\chi_2}^\delta] [d_{-\chi}^{\rho T} C \gamma^\mu \gamma_5 d_\chi^\sigma + d_\chi^{\rho T} C \gamma^\mu \gamma_5 d_{-\chi}^\sigma] \right] \mathbf{T}_s \dots
 \end{aligned}$$

B-L Violation via e-n scattering

Linking neutron-antineutron oscillation to conversion

Moreover...

$$\begin{aligned} (\tilde{\mathcal{O}}_1)_{\chi_1\chi_2\chi_3}^{\chi\mu} = & \left[-2[u_{-\chi}^{\alpha T} C \gamma^\mu \gamma_5 u_\chi^\beta + u_\chi^{\alpha T} C \gamma^\mu \gamma_5 u_{-\chi}^\beta][d_{\chi_2}^{\gamma T} C d_{\chi_2}^\delta][d_{\chi_3}^{\rho T} C d_{\chi_3}^\sigma] \right. \\ & + [u_{\chi_1}^{\alpha T} C u_{\chi_1}^\beta][d_{-\chi}^{\gamma T} C \gamma^\mu \gamma_5 d_\chi^\delta + d_\chi^{\gamma T} C \gamma^\mu \gamma_5 d_{-\chi}^\delta][d_{\chi_3}^{\rho T} C d_{\chi_3}^\sigma] \\ & \left. + [u_{\chi_1}^{\alpha T} C u_{\chi_1}^\beta][d_{\chi_2}^{\gamma T} C d_{\chi_2}^\delta][d_{-\chi}^{\rho T} C \gamma^\mu \gamma_5 d_\chi^\sigma + d_\chi^{\rho T} C \gamma^\mu \gamma_5 d_{-\chi}^\sigma] \right] (T_s)_{\alpha\beta\gamma\delta\rho\sigma} \end{aligned}$$

yielding [Here $\chi=R$ - $\chi=L$ for em scattering]

$$(\tilde{\mathcal{O}}_1)_{\chi_1\chi_2\chi_3}^{\chi} = (\delta_1)_{\chi_1\chi_2\chi_3} \frac{em}{3(p_{\text{eff}}^2 - m^2)} \frac{Qe j_\mu}{q^2} (\tilde{\mathcal{O}}_1)_{\chi_1\chi_2\chi_3}^{\chi\mu},$$

(best connection to oscillation as $q^2 \rightarrow 0$)

with similar relationships for $i=2,3$ [only these in em case]

The hadronic matrix elements are computed
in the MIT bag model.

B-L Violation via e-n scattering

Linking neutron-antineutron oscillation to conversion

[SG & Xinshuai Yan, arXiv:1710.09292, PRD 2018]

TABLE I. Dimensionless matrix elements $(I_i)_{\chi_1\chi_2\chi_3}^{\chi}$ of $n - \bar{n}$ conversion operators. The column “EM” denotes the matrix-element combination of $(\chi = R) - (\chi = L)$.

$\chi_1\chi_2\chi_3$	I_1			$\chi_1\chi_2\chi_3$	I_2			$\chi_1\chi_2\chi_3$	I_3		
	$\chi = R$	$\chi = L$	EM		$\chi = R$	$\chi = L$	EM		$\chi = R$	$\chi = L$	EM
RRR	19.8	19.8	0	RRR	-4.95	-4.95	0	RRR	1.80	-8.28	10.1
RRL	17.3	17.3	0	RRL	-2.00	-9.02	7.02	RRL	-1.07	-8.81	7.74
RLR	17.3	17.3	0	RLR	-4.09	-0.586	-3.50	RLR	7.20	6.03	1.17
RLL	6.02	6.02	0	RLL	-0.586	-4.09	3.50	RLL	6.03	7.20	-1.17
LRR	6.02	6.02	0	LRR	-4.09	-0.586	-3.50	LRR	7.20	6.03	1.17
LRL	17.3	17.3	0	LRL	-0.586	-4.09	3.50	LRL	6.03	7.20	-1.17
LLR	17.3	17.3	0	LLR	-9.02	-2.00	-7.02	LLR	-8.81	-1.07	-7.74
LLL	19.8	19.8	0	LLL	-4.95	-4.95	0	LLL	-8.28	1.80	-10.1



Electromagnetic scattering yields $n-\bar{n}$

conversion from O_2 and O_3 operators only!

Interactions impact view on $n-\bar{n}$ osc. even in $q^2 \rightarrow 0$ limit;

(cf. K_S regeneration in matter); cf. Nesvizhevsky et al

2018....

Neutron-Antineutron Conversion

Different mechanisms are possible

- * $n-\bar{n}$ conversion and oscillation could share the same “TeV” scale BSM sources
 - Then the quark-level conversion operators can be derived noting the quarks carry electric charge

- * $n-\bar{n}$ conversion and oscillation could come from different BSM sources
 - Here we consider nucleon-antinucleon conversion

Now we turn to minimal scalar models.

Models with $|\Delta B|=2$ Processes

Enter minimal scalar models without proton decay

[Arnold, Fornal, and Wise, 2013; Dev & Mohapatra, 2015]

Already used for $n \rightarrow \bar{n}$ oscillation without p decay

[Arnold, Fornal, Wise, PRD, 2013]

Note limits on $|\Delta B|=1$ processes are severe!

E.g., $\tau(N \rightarrow e^+ \pi) = 8.2 \times 10^{33}$ yr [p] @ 90% CL

Add new scalars X_i that do not give N decay at tree level

Also choose X_i that respect SM gauge symmetry and also under interactions $X_i X_j X_k$ or $X_i X_j X_k X_l$

— cf. “hidden sector” searches: possible masses are limited by experiment

Scalars without Proton Decay

That also carry **B** or **L** charge

TABLE I. Scalar particle representations in the $SU(3)_c \times SU(2)_L \times U(1)_Y$ SM that carry nonzero B and/or L but permit no proton decay at tree level, after Ref. [4]. We indicate the possible interactions between the scalar X and SM fermions schematically. Note that the indices a, b run over three generations, that the symmetry of the associated coupling g_i^{ab} under $a \leftrightarrow b$ exchange is noted in brackets, and finally that our convention for Y is $Q_{\text{em}} = T_3 + Y$. Please refer to the text for further discussion.

Scalar	SM Representation	B	L	Operator(s)	$[g_i^{ab?}]$
X_1	$(1, 1, 2)$	0	-2	$X e^a e^b$	[S]
X_2	$(1, 1, 1)$	0	-2	$X L^a L^b$	[A]
X_3	$(1, 3, 1)$	0	-2	$X L^a L^b$	[S]
X_4	$(\bar{6}, 3, -1/3)$	-2/3	0	$X Q^a Q^b$	[S]
X_5	$(\bar{6}, 1, -1/3)$	-2/3	0	$X Q^a Q^b, X u^a d^b$	[A, -]
X_6	$(3, 1, 2/3)$	-2/3	0	$X d^a d^b$	[A]
X_7	$(\bar{6}, 1, 2/3)$	-2/3	0	$X d^a d^b$	[S]
X_8	$(\bar{6}, 1, -4/3)$	-2/3	0	$X u^a u^b$	[S]
X_9	$(3, 2, 7/6)$	1/3	-1	$X \bar{Q}^a e^b, X L^a \bar{u}^b$	[-, -]

Note
SU(3)
rep'ns

Patterns of $|\Delta B|=2$ Violation?

Note possible SM gauge invariant scalar models

[SG & Xinshuai Yan, arXiv: 1808.05288]

TABLE II. Minimal interactions that break B and/or L from scalars X_i that do not permit $|\Delta B| = 1$ interactions at tree level, indicated schematically, with the Hermitian conjugate implied. Interactions labelled M1-M9 appear in models 1-9 of Ref. [4]. Interactions A-G possess $|\Delta L| = 2$, $|\Delta B| = 0$. M19, M20, and M21 follow from M8, M17, and M18 under $X_7 \rightarrow X_6$, respectively, but they do not involve first-generation fermions only.

Model		Model		Model	
M1	$X_5 X_5 X_7$	A	$X_1 X_8 X_7^\dagger$	M10	$X_7 X_8 X_8 X_1$
M2	$X_4 X_4 X_7$	B	$X_3 X_4 X_7^\dagger$	M11	$X_5 X_5 X_4 X_3$
M3	$X_7 X_7 X_8$	C	$X_3 X_8 X_4^\dagger$	M12	$X_5 X_5 X_8 X_1$
M4	$X_6 X_6 X_8$	D	$X_5 X_2 X_7^\dagger$	M13	$X_4 X_4 X_5 X_2$
M5	$X_5 X_5 X_5 X_2$	E	$X_8 X_2 X_5^\dagger$	M14	$X_4 X_4 X_5 X_3$
M6	$X_4 X_4 X_4 X_2$	F	$X_2 X_2 X_1^\dagger$	M15	$X_4 X_4 X_8 X_1$
M7	$X_4 X_4 X_4 X_3$	G	$X_3 X_3 X_1^\dagger$	M16	$X_4 X_7 X_8 X_3$
M8	$X_7 X_7 X_7 X_1^\dagger$			M17	$X_5 X_7 X_7 X_2^\dagger$
M9	$X_6 X_6 X_6 X_1^\dagger$			M18	$X_4 X_7 X_7 X_3^\dagger$

$n-\bar{n}$



“4 X” models
can yield

$$e^- p \rightarrow e^+ \bar{p}$$

$$e^- p \rightarrow \bar{\nu} \bar{n}$$

$$\pi^+ \pi^- \rightarrow e^- e^-$$

Patterns of $|\Delta B|=2$ Violation?

Note possible **BNV** processes

[SG & Xinshuai Yan, arXiv: 1808.05288]

TABLE III. Suite of $|\Delta B| = 2$ and $|\Delta L| = 2$ processes generated by the models of Table II, focusing on states with first-generation matter. The (*) superscript indicates that a weak isospin triplet of $|\Delta L| = 2$ processes can appear, namely $\pi^0\pi^0 \rightarrow \nu\nu$ and $\pi^-\pi^0 \rightarrow e^-\nu$. Models M7, M11, M14, and M16 also support $\nu n \rightarrow \bar{n}\bar{\nu}$, revealing that cosmic ray neutrinos could potentially mediate a $|\Delta B| = 2$ effect.

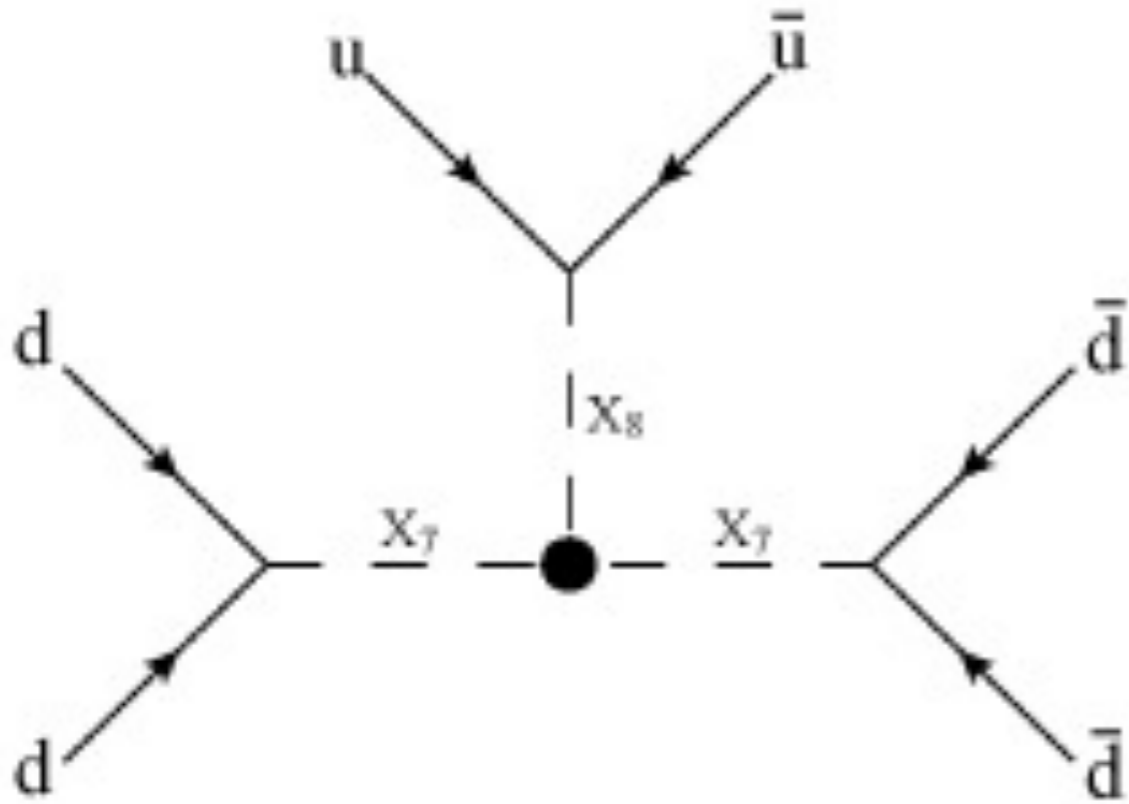
$n\bar{n}$	$\pi^-\pi^-\rightarrow e^-e^-$	$e^-p\rightarrow\bar{\nu}_{\mu,\tau}\bar{n}$	$e^-p\rightarrow\bar{\nu}_e\bar{n}/e^+\bar{p}$	$e^-p\rightarrow e^+\bar{p}$
M1	A	M5	M7	M10
M2	B ^(*)	M6	M11	M12
M3	C ^(*)	M13	M14	M15
			M16	

Use observations of $n\bar{n}$ oscillation or $N\bar{N}$ conversion ($e^-p\rightarrow e^+\bar{p}, \dots$) to establish new scalars...

& w/ both can predict the existence of $\pi^-\pi^-\rightarrow e^-e^-!$

Connecting $|\Delta B|=2$ to $|\Delta L|=2$...

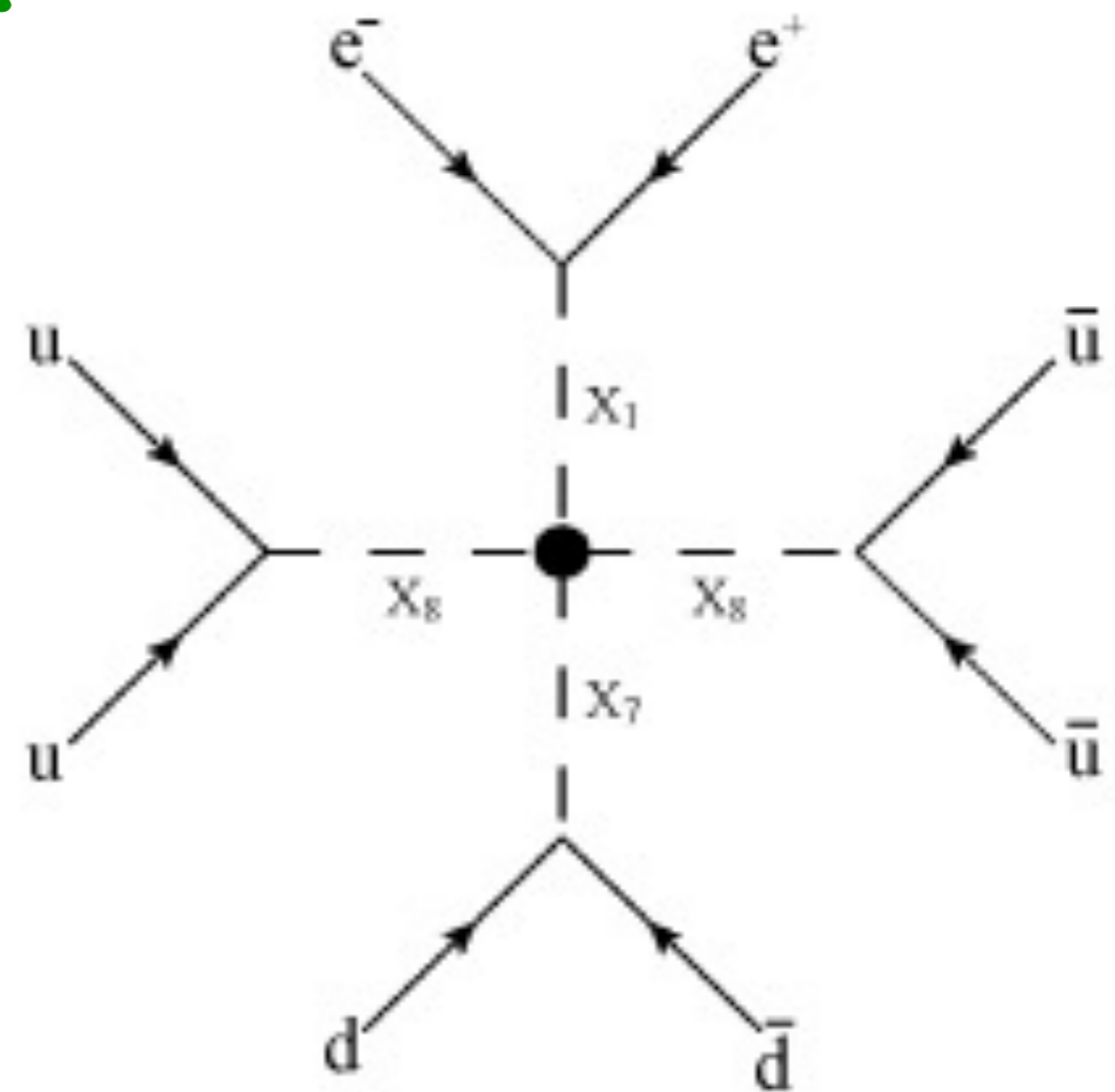
An example...



“M3”

(a)

$n-\bar{n}$



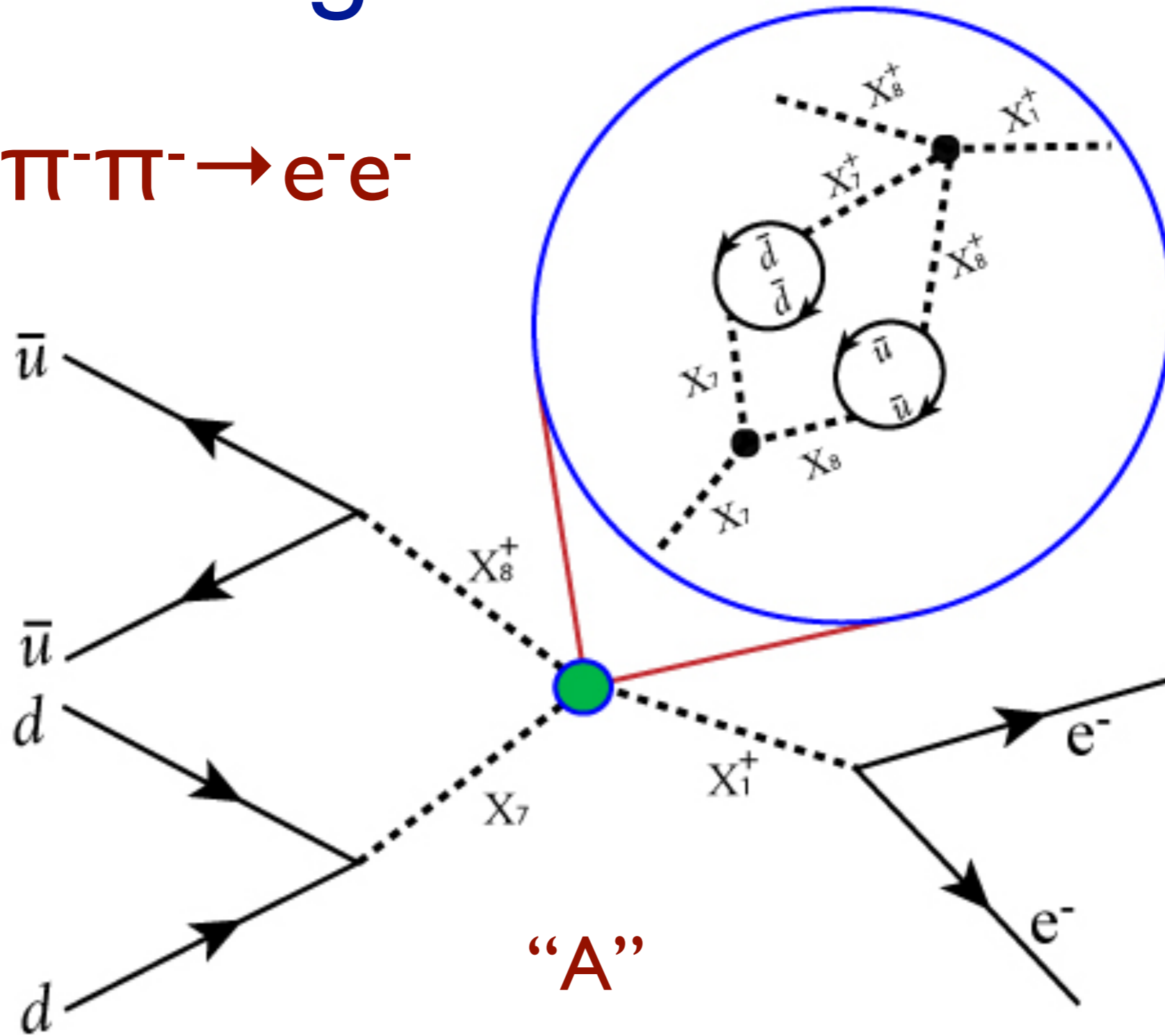
“M10”

(b)

$e^- p \rightarrow e^+ \bar{p}$

Connecting $|\Delta B|=2$ to $|\Delta L|=2$...

$\pi^+\pi^-\rightarrow e^+e^-$



“A”

“Everything not forbidden is compulsory” [M. Gell-Mann, after T.H. White]

Patterns of $|\Delta B|=2$ Violation

Discovery implications for $0\nu\beta\beta$ decay

TABLE IV. Possible patterns of $|\Delta B| = 2$ discovery and their interpretation in minimal scalar-fermion models. Note that only $n - \bar{n}$ oscillations and $e^- n \rightarrow e^- \bar{n}$ break B-L symmetry and that the pertinent conversion processes can be probed through electron-deuteron scattering. The latter are distinguished by the electric charge of the final-state lepton accompanying nucleon-antinucleon annihilation. Note that the $0\nu\beta\beta$ query refers specifically to the existence of $\pi^- \pi^- \rightarrow e^- e^-$ from new, short-distance physics. Note that we can possibly establish model D and $|\Delta L| = 2$ violation, but that model does not give rise to $\pi^- \pi^- \rightarrow e^- e^-$. In contrast we cannot establish X_8 alone and thus cannot establish model C.

Model	$n\bar{n}?$	$e^- n \rightarrow e^- \bar{n}?$	$e^- p \rightarrow \bar{\nu}_X \bar{n}?$	$e^- p \rightarrow e^+ \bar{p}?$	$0\nu\beta\beta ?$
M3	Y	N	N	Y	Y [A]
M2	Y	Y	Y	Y	Y [B]
M1	Y	Y	Y	N	? [D]
–	N	N	Y	Y	? [C?]

Note high-intensity, low-energy e-scattering facilities (P2, e.g.) can be used to broader purpose

Phenomenology of New Scalars

Constraints from many sources — Focus on first generation

i) η - $\bar{\eta}$ (But this does not impact M7)

ii) Collider constraints

CMS: l^+l^+ search; cannot look at invariant masses below 8 GeV

[CMS 2012, 2014, 2016]

iii) $(g-2)_e$ [Babu & Macesanu, 2003]

Use latest exp't! [Hanneke, Fogwell, Gabrielse, 2008]

Limit: $M_1/g_1^{11} \geq 80 \text{ GeV}$

iii) Nuclear stability
SuperK: $pp \rightarrow e^+e^+$

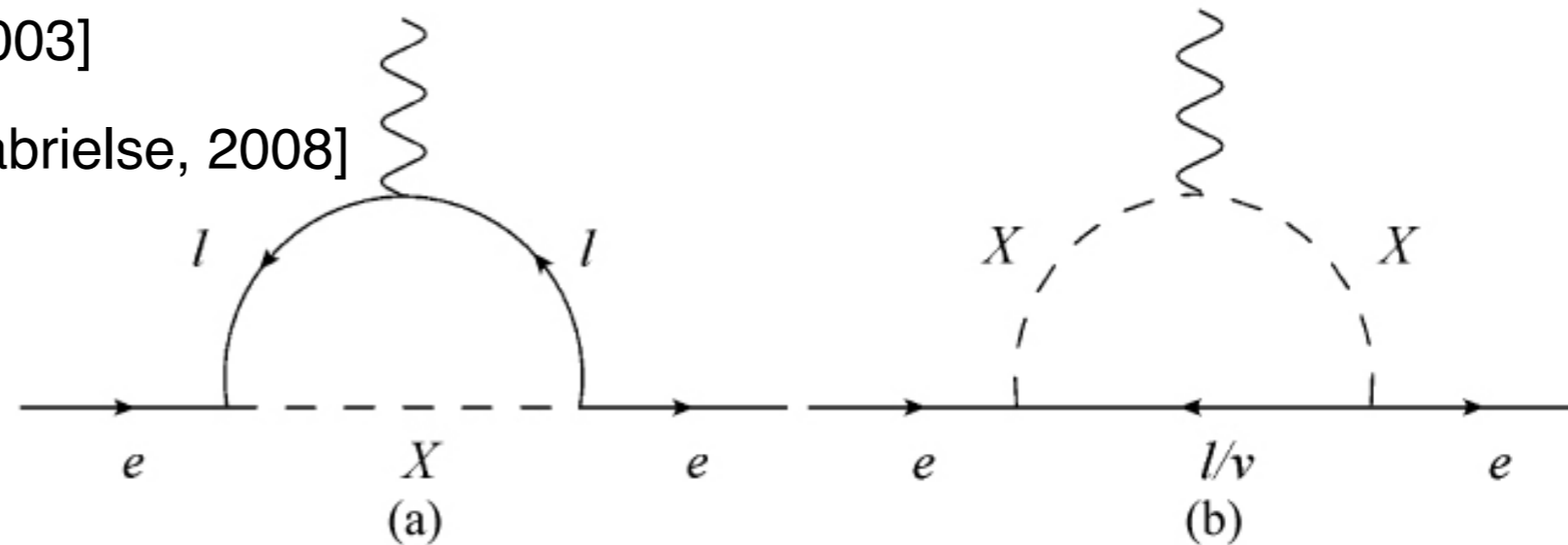
[Bramante, Kumar, & Learned, 2015]

But note short-distance repulsion!

iv) $H\bar{H}$ annihilation

[Grossman, Ng, & Ray, 2018]

But beware galactic magnetic fields!







Few GeV mass window possible

Low-Energy Electron Facilities

Illustrative parameter choices have been made

[Hydrogen]

Facility	Beam		Target		Luminosity (cm^{-2})
	Energy (MeV)	Current (mA)	Length (cm)	Density (g/cm^3)	
 CBETA [14]	150	40	60	0.55×10^{-6}	2.48×10^{36}
 MESA [15]	100	10	60	0.55×10^{-6}	6.21×10^{35}
 ARIEL [16]	50	10	100	0.09×10^{-3}	1.69×10^{38}
			* 0.2	71.3×10^{-3}	2.68×10^{38}
 FAST [17]	150	28.8	100	0.09×10^{-3}	4.88×10^{38}
			* 0.1	71.3×10^{-3}	3.87×10^{38}

*Liquid

 = ERL (internal target)

 = ERL (e.g.)

 = Linac (external target)

 = Linac, ILC test accelerator

Event Rates

Select particular scalar masses/couplings for reference

Rates in #/yr

$M'_{1,3} = 3.5$ GeV, else 2.5 GeV

$M_i' \equiv M_i / |g_i^{11}|^{1/2}$

$e^- p \rightarrow e^+ p:$

Facility	M7	M10	M11	M12	M14	M15	M16
CBETA [14]	0.076	0.010	0.001	0.001	0	0.053	0.006
MESA [15]	0.010	0.001	0.0	0.0	0	0.007	0.001
ARIEL [16]	0.800	0.107	0.014	0.007	0	0.558	0.065
	1.268	0.170	0.022	0.011	0	0.884	0.104
FAST [17]	14.908	1.998	0.259	0.124	0	10.398	1.217
	11.810	1.583	0.205	0.098	0	8.238	0.964

$e^- p \rightarrow \nu_e \bar{n}$

Facility	M7	M11	M14	M16
CBETA [14]	0.087	0.007	0	0.006
MESA [15]	0.011	0.001	0	0.001
ARIEL [16]	0.801	0.060	0	0.056
	1.270	0.096	0	0.088
FAST [17]	17.045	1.285	0	1.181
	13.503	1.018	0	0.935

N.B. conversion processes
(also pertinent to $0\nu\beta\beta$)
are discoverable

Summary

- The discovery of B-L violation would reveal the existence of dynamics beyond the Standard Model
- The energy scale of B-L violation speaks to different explanations as to why the neutrino is light — a “short range” mechanism could also generate B-L violation in the quark sector
- We have noted neutron-antineutron (& nucleon-antinucleon conversion!) conversion, i.e., neutron-antineutron transitions as mediated by an external current (as via scattering)
- We have used minimal scalar models to relate $|\Delta B|=2$ to $|\Delta L|=2$ processes
- Experiments with intense low-energy electron beams, e.g., complement essential neutron studies to help solve the ν mass puzzle

Backup Slides

B-L Violation via e-d scattering

What sorts of limits could be set?

Matching relation:

$$\eta \bar{v}(\mathbf{p}', s') C \not{j} \gamma_5 u(\mathbf{p}, s) = \frac{em}{3(p_{\text{eff}}^2 - m^2)} \frac{e j_\mu}{q^2} \times \langle \bar{n}_q(\mathbf{p}', s') | \int d^3\mathbf{x} \sum_{\mathbf{i}, \chi_1, \chi_2, \chi_3} (\delta_{\mathbf{i}})_{\chi_1, \chi_2, \chi_3} [(\tilde{\mathcal{O}}_{\mathbf{i}})^{R\mu}_{\chi_1, \chi_2, \chi_3} - (\tilde{\mathcal{O}}_{\mathbf{i}})^{L\mu}_{\chi_1, \chi_2, \chi_3}] | \mathbf{n}_q(\mathbf{p}, s) \rangle$$

The best limits come from small-angle scattering — using the uncertainty principle to estimate θ_{min}

Sensitivity estimate for a beam energy of 20 MeV:

$$|\tilde{\delta}| \lesssim 2 \times 10^{-15} \sqrt{\frac{N \text{ events}}{1 \text{ event}}} \sqrt{\frac{1 \text{ yr}}{t}} \sqrt{\frac{0.6 \times 10^{17} \text{ s}^{-1}}{\phi}} \sqrt{\frac{1 \text{ m}}{L}} \sqrt{\frac{5.1 \times 10^{22} \text{ cm}^{-3}}{\rho}} \text{ GeV.}$$

for the Majorana mass of the neutron

B-L Violation via n-d scattering

What sorts of limits could be set?

For cold neutrons (as at the ILL)

$$|\mathbf{p}_n| = 1.94 \text{ keV}$$

Sensitivity estimate (set by n-e scattering):

$$|\tilde{\delta}| \lesssim 3 \times 10^{-19} \sqrt{\frac{N \text{ events}}{1 \text{ event}}} \sqrt{\frac{1 \text{ yr}}{t}} \sqrt{\frac{1.7 \times 10^{11} \text{ s}^{-1}}{\phi}} \sqrt{\frac{1 \text{ m}}{L}} \sqrt{\frac{5 \times 10^{22} \text{ cm}^{-3}}{\rho}} \text{ GeV}$$

for the Majorana mass of the neutron

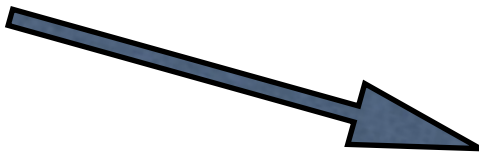
The combination of e and n beam experiments should offer a powerful crosscheck

Cross Section Estimate

Experimental limits can be translated to scalar-mass-coupling “sensitivity” plots

1st gen.

$e^- p \rightarrow e^+ \bar{p}$


$$\sigma \sim 1.5 \times 10^{-4} |g_4^{11}|^6 |\lambda_7|^2 |g_3^{11}|^2 \left(\frac{5 \text{ GeV}}{M_{X_4}} \right)^{12} \left(\frac{1 \text{ GeV}}{M_{X_3}} \right)^4 \text{ ab}$$

[SG & Xinshuai Yan, arXiv: 1808.05288]

Visible with “DarkLight” (FEL JLab) parameters

[Babu & Macesanu, 2003; Hanneke, Fogwell, Gabrielse, 2008]

**N.B. survives direct limits: $(g-2)_e$;
observed H-atom stability**

Constraints from muonium-antimuonium osc.; $|\Delta F|=2$
mixing removed by generation-dependent couplings