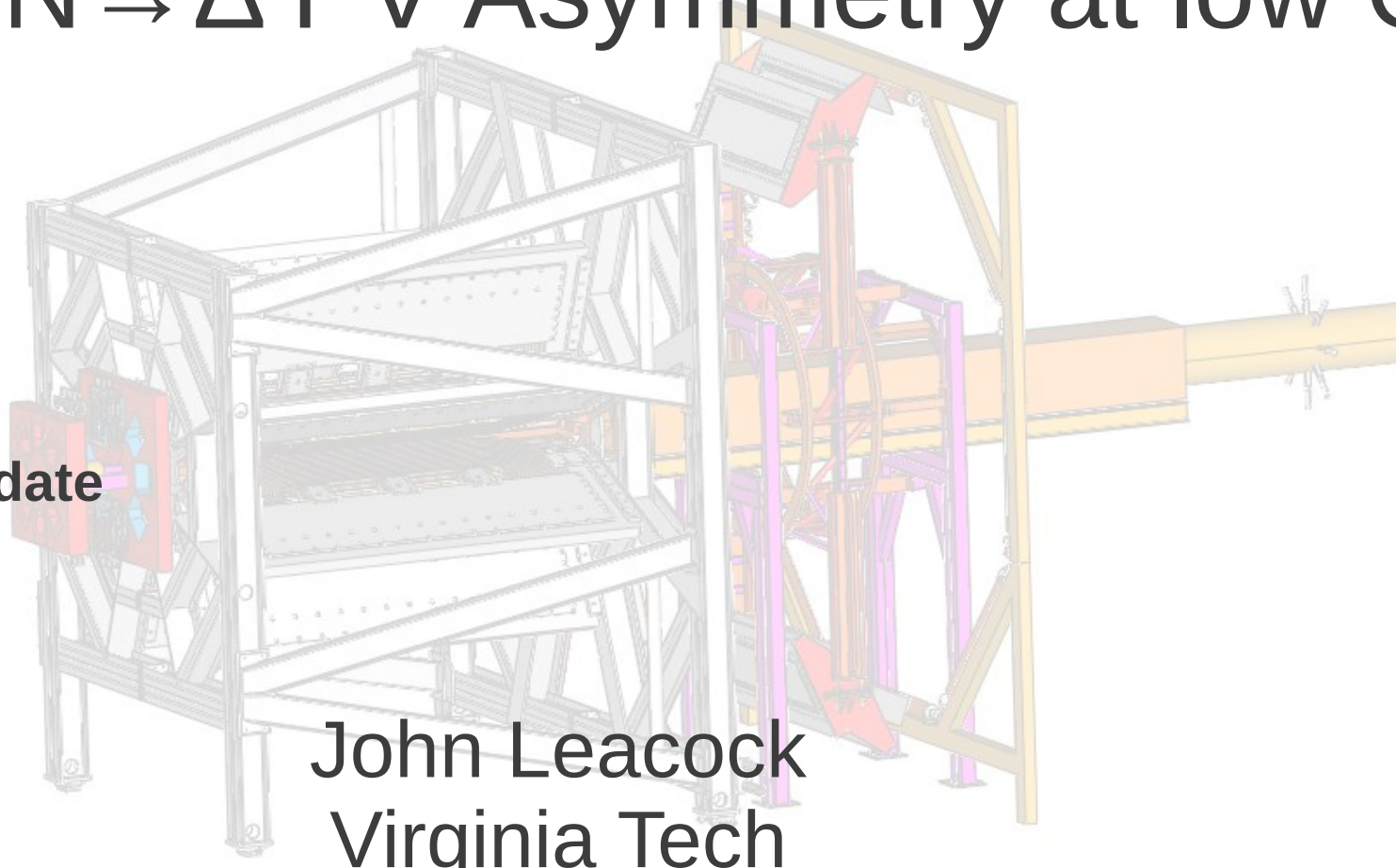


Qweak $N \rightarrow \Delta$ PV Asymmetry at low Q^2

Outline:

- Motivation
- Analysis Update
- Status

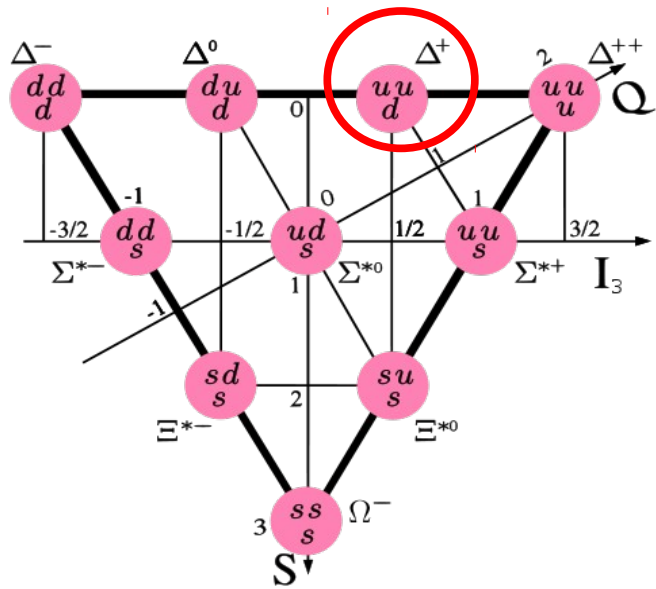


John Leacock
Virginia Tech

20 October 2011

SESAPS, Roanoke, Virginia

What is the Δ ?



1st excited state of the proton

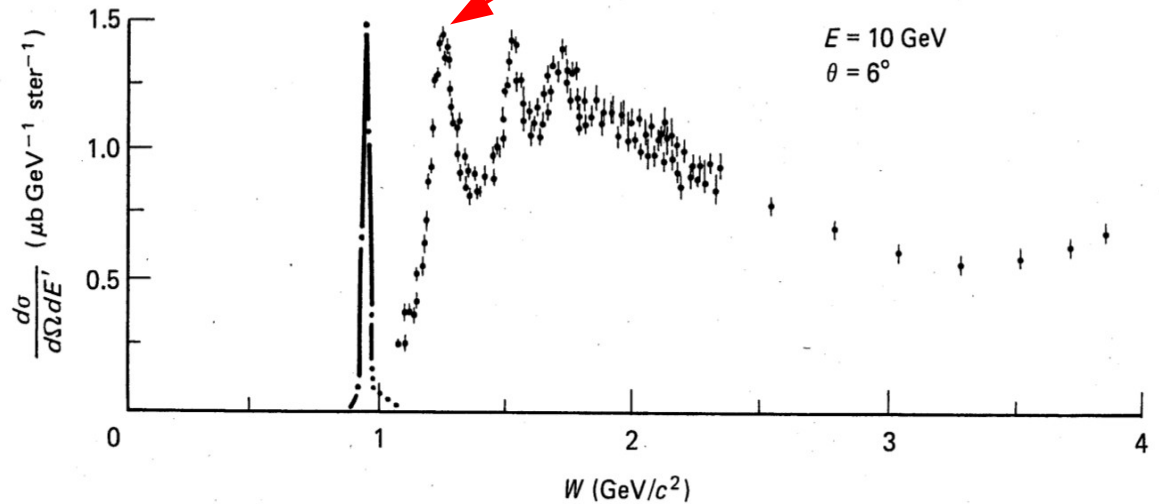
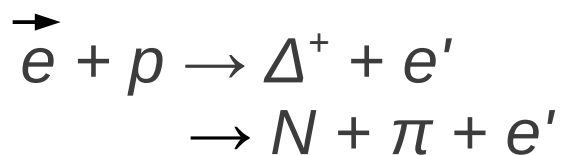
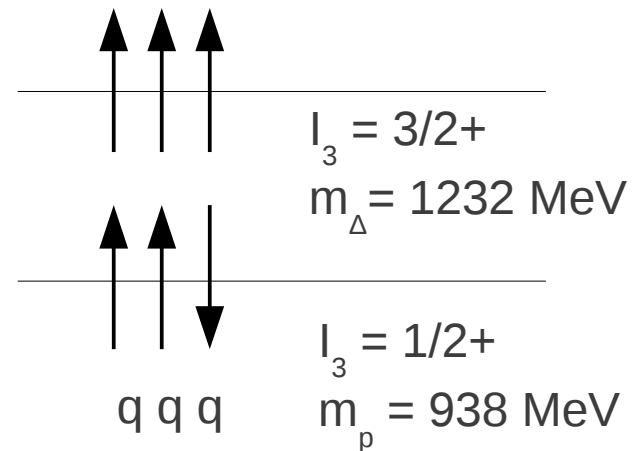


Image from Annual Review of Nuclear and Particle Science, Volume 22, 1972

Qweak $N \rightarrow \Delta$ Interaction



quark spin state

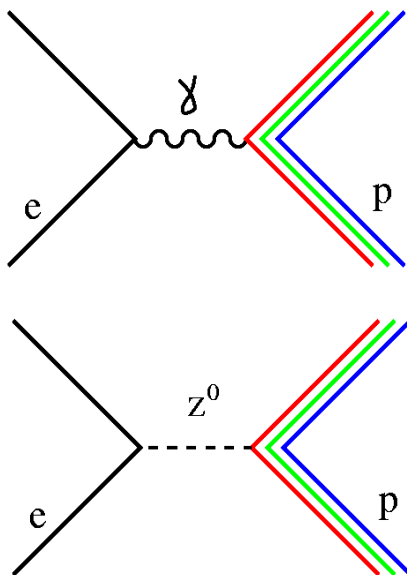
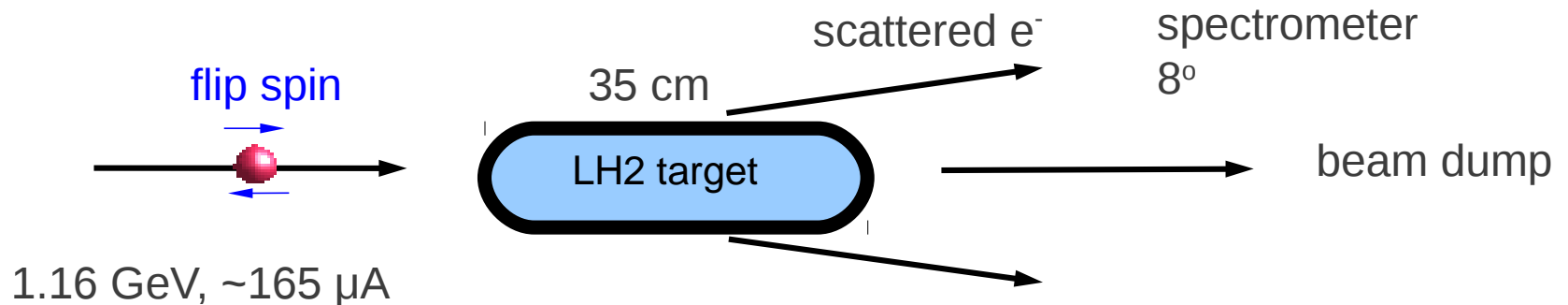


What is Qweak?

$$\vec{e}^- + p \rightarrow e^- + p$$

Qweak is the measurement of elastically scattered longitudinally polarized electrons at forward angles.

Overview talk by Mark Pitt session EA



	Q^γ	Q^Z	
u	$+2/3$	$1 - 8/3 \sin^2 \theta_W$	
d	$-1/3$	$-1 + 4/3 \sin^2 \theta_W$	
p(uud)	$+1$	$1 - 4 \sin^2 \theta_W$	≈ 0.07
n(udd)	0	-1	
			suppressed

N \rightarrow Δ Measurement Motivation

1% - 10% correction to Q_{weak}

$A_{N\Delta}$ gives *DIRECT ACCESS* to $G_{N\Delta}^A$

- *Axial transition form factor of the proton in $N \rightarrow \Delta^+$*
- *Reaction Mechanism (CQM)*
 - Z^0 induces “quark spin flip” (Neutral Current)
→ c.f. $M1$ from γ induced quark spin flip

Hadronic PV - d_Δ – Weak Lagrangian Coupling Constant

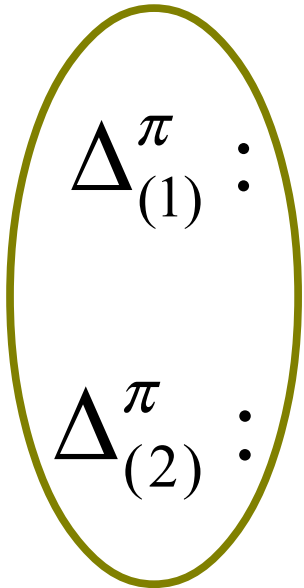
- d_Δ characterizes the hadronic parity violation in the $N \rightarrow \Delta^+$ transition
 - c.f. h_π, h_ρ in parity violating N-N interactions

QCD Symmetry Breaking Effects

N → Δ Theory

$$A_{N\Delta}^{PV} = \frac{G_F}{\sqrt{2}} \frac{Q^2}{2\pi\alpha} \left(\Delta_{(1)}^\pi + \Delta_{(2)}^\pi + \Delta_{(3)}^\pi \right)$$

vector current terms



$\Delta_{(1)}^\pi$:

resonant standard model term

$$\left(1 - 2 \sin^2 \theta_W \right)$$

$\Delta_{(2)}^\pi$:

non-resonant contributions

constrained by models

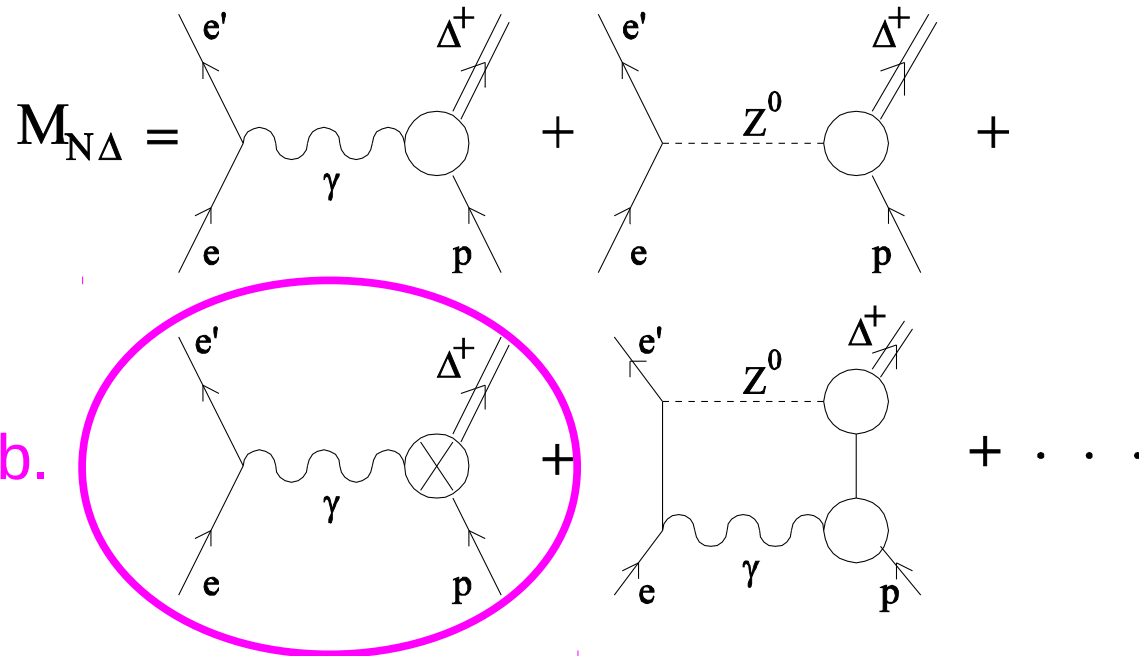
$\Delta_{(3)}^\pi$:

axial vector nucleon response

$$\propto G_{N\Delta}^A$$

M.J. Musolf et al., Phys. Rept. 239:1-178, 1994

N → Δ Radiative Corrections



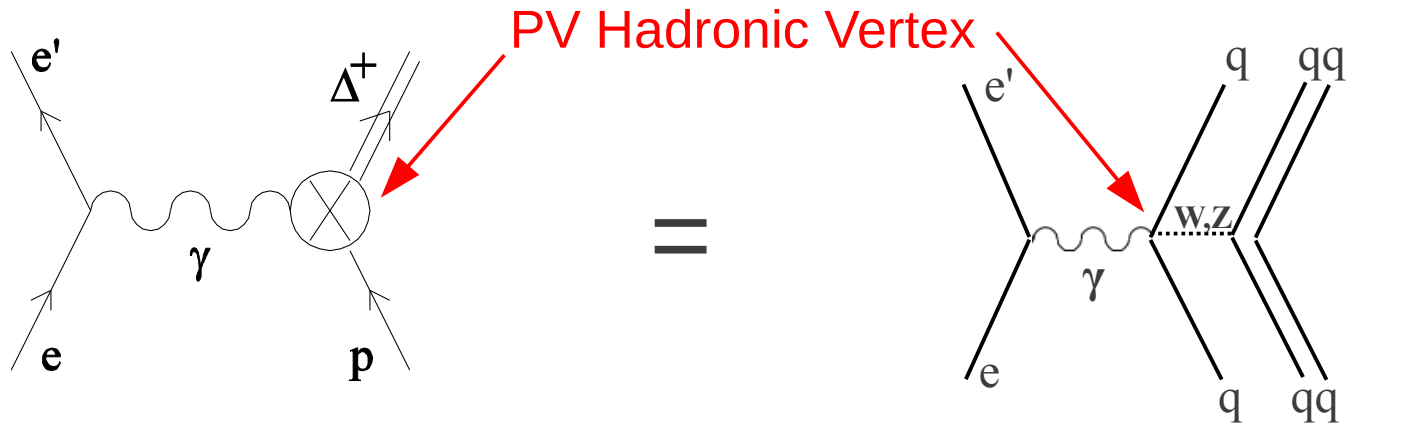
Siegert Contrib.

$$\Delta_{(3)}^{\pi} \propto (1 + R_A^{\Delta}) G_{N\Delta}^A$$

$$R_A^{\Delta} = R_A^{ewk} + R_A^{Siegert} + R_A^{Anapole} + R_A^{Box} + \dots$$

S.-L. Zhu et al., Phys. Rev. D65:033001, 2002

Siegert Contribution



γ couples to q-q weak interaction inside nucleon

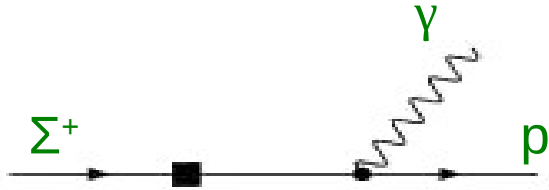
$$A_{PV}^{\gamma}(q^2=0) \approx -\frac{d_{\Delta} M_N}{\Lambda_X} \neq 0!$$

“natural scale” for this PV asymmetry is $g_{\pi} = 3e-8$

g_{π} is the hadronic PV coupling constant for *charged current* interactions

same matrix element drives Weak Hyperon Decay (e.g. $\Sigma^+ \rightarrow p\gamma$)

Radiative Hyperon Decay Problem



$$\Delta S=1$$

Expected SU(3) symmetry breaking

$$\frac{m_s - m_u}{\Lambda_X} \approx 0.15$$

$$\frac{d\omega}{d\Omega} \propto 1 + \alpha_j P \cos \theta$$

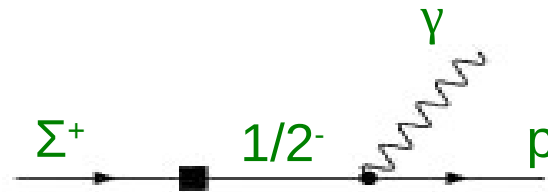
Experimentally determined asymmetry: $\alpha_j = -0.76$

~ 5X Larger than normal SU(3) Symmetry Breaking predicts

B. Borasoy and B.R. Holstein, Phys. Rev. D59:054019, 1999

Radiative Hyperon Decay Possible Solution

Dynamical Solution: Include heavy $1/2^-$ intermediate state resonances which couple to hyperon and daughter nucleon



- pushes α_γ large and negative!
- better agreement with experiment

A similar model in the $\Delta S=0$ channel suggests a possible enhanced d_Δ with a range of $0 \rightarrow 100 g_\pi$

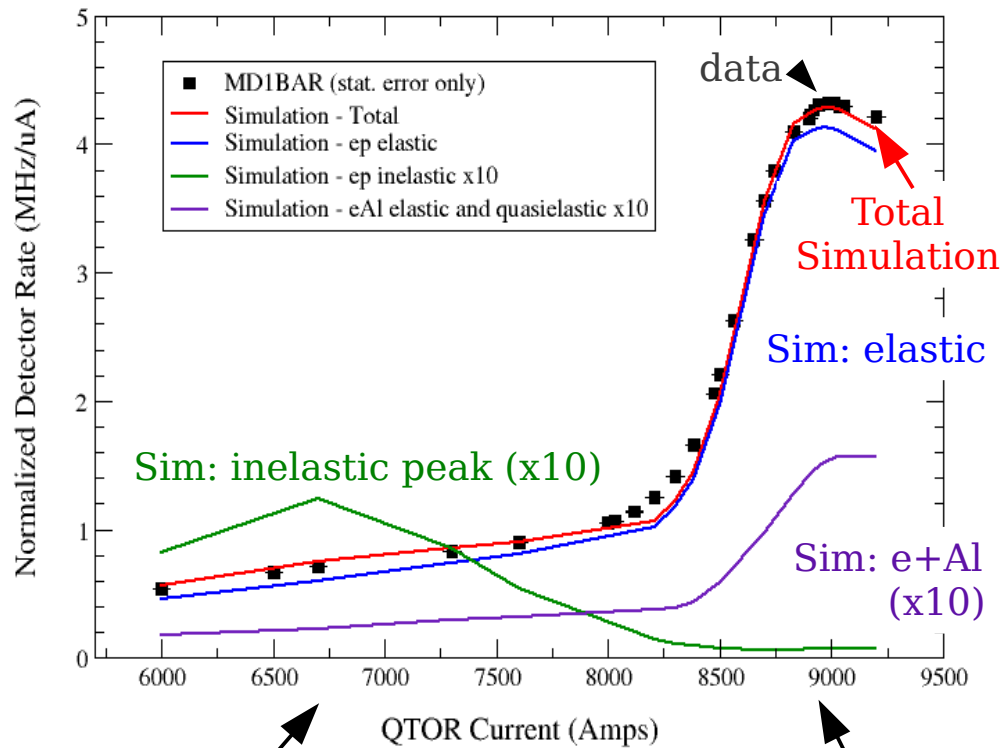
Qweak $N \rightarrow \Delta$ Transition Measurement

Use Qweak apparatus

- reduce bending magnet to 75% nominal
- increases inelastic event fraction from $\sim 0.1\%$ to $\sim 30\%$

LH2 QTOR Scan: Normalized Rate versus Field

Comparing Tracking Mode Scaler Rates and Simulation



$$A_m = P [(1 - f_{inel}) A_{ep} + f_{inel} A_{inel}] + A_{false}$$

simulate dilution factor, f_{inel}

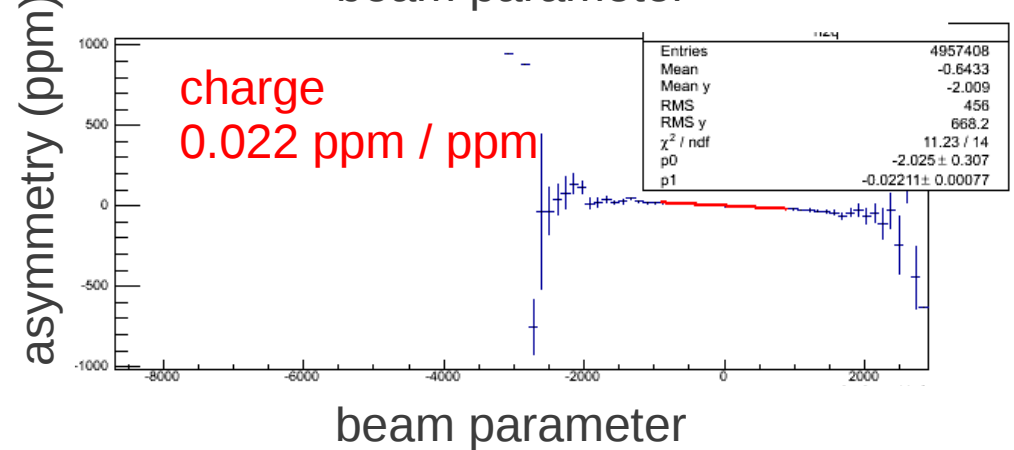
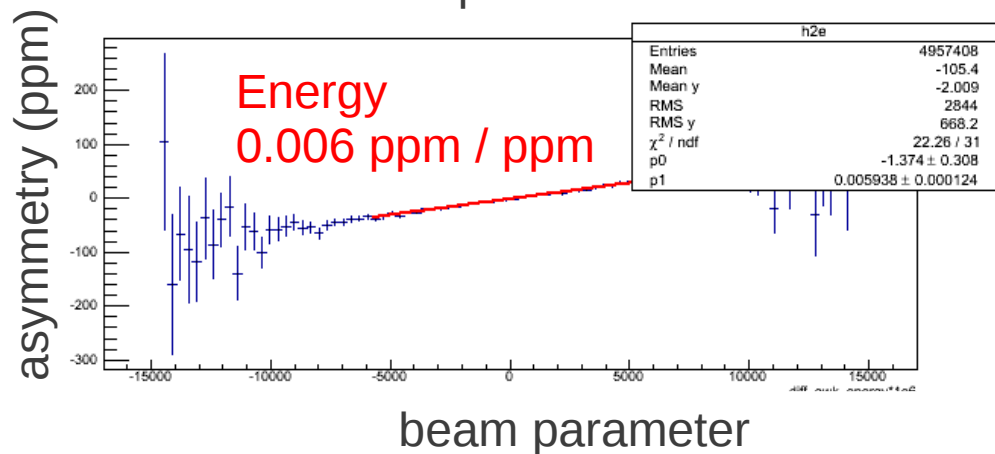
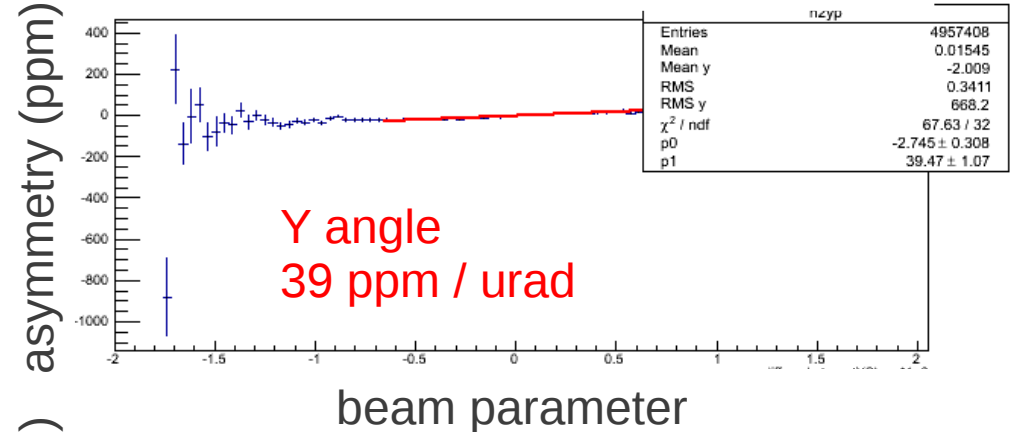
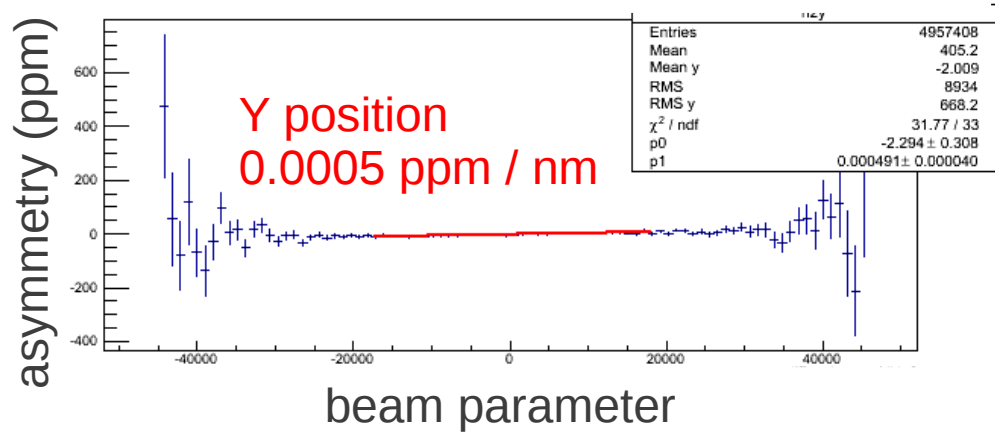
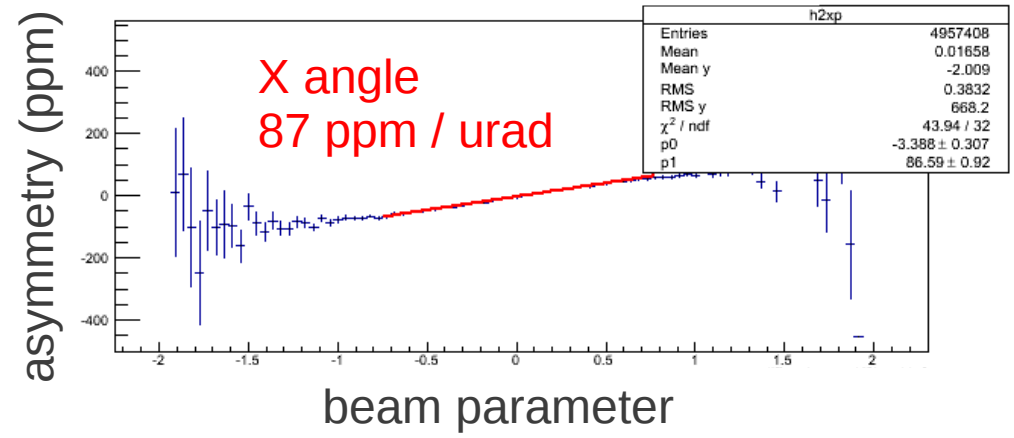
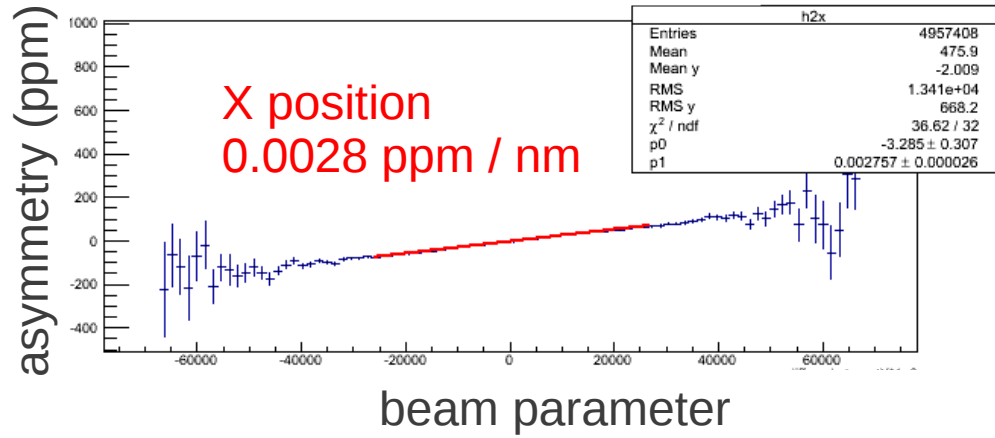
correct for false asymmetries using regression

extract A_{inel} from measured asymmetry

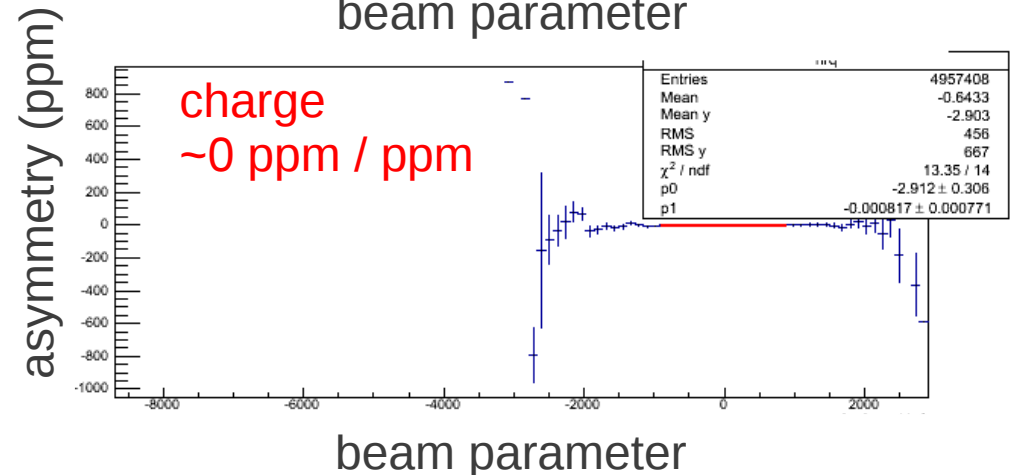
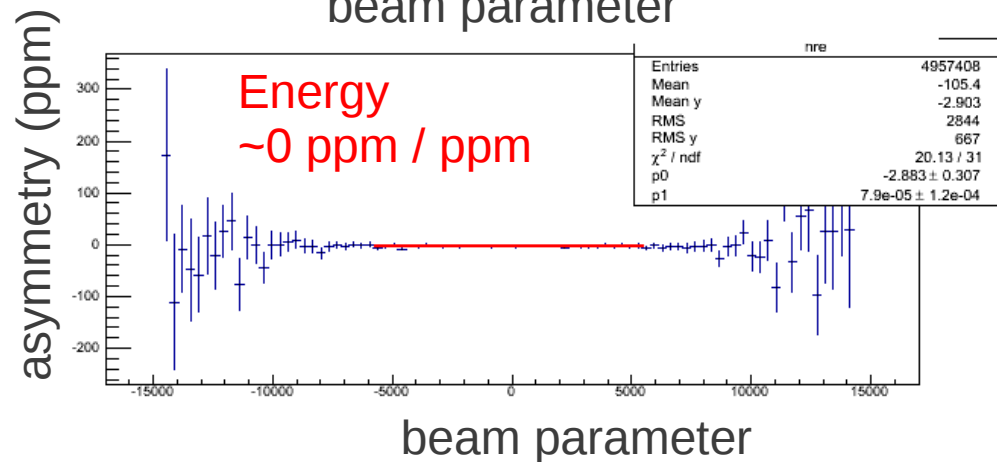
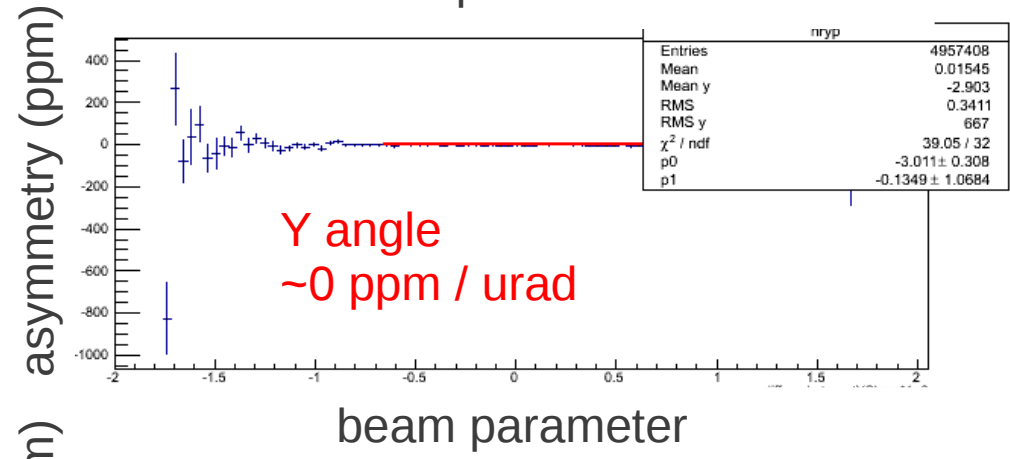
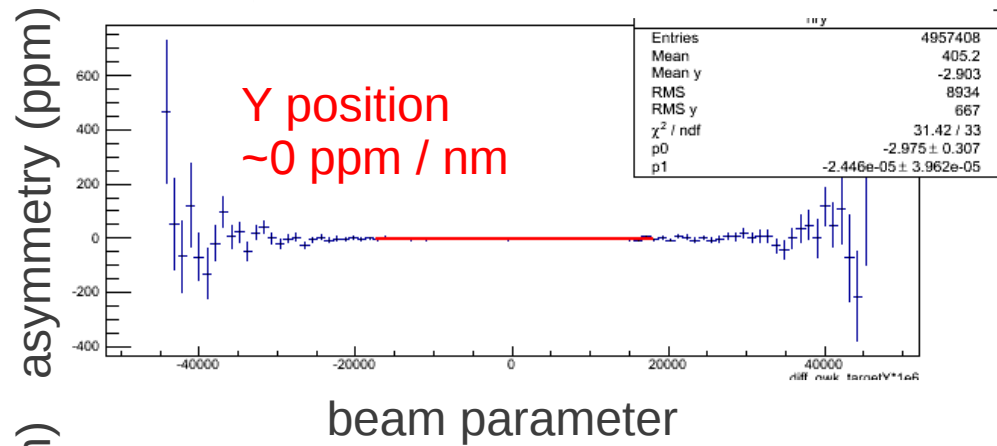
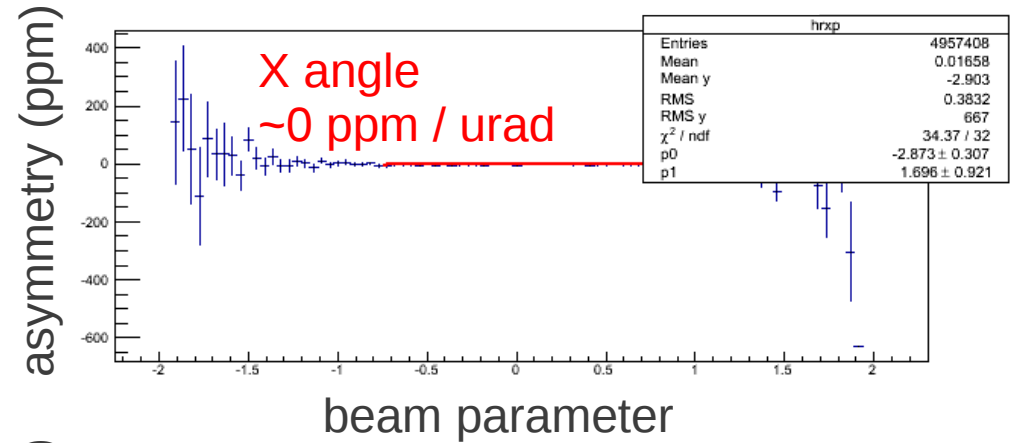
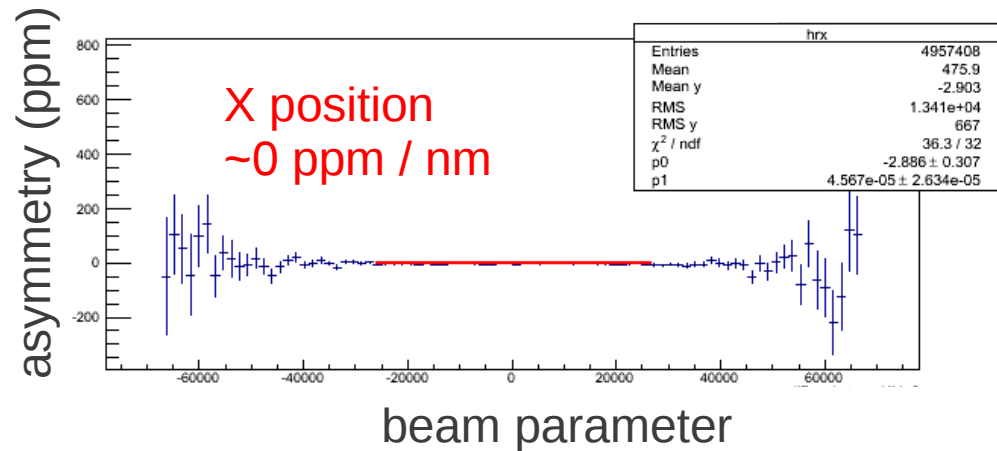
Inelastic peak
rate = 30% inelastic
QTOR = 6700 A
 $Q^2 = 0.022 \text{ GeV}^2$

Normal Qweak running
rate = 0.1% inelastic
QTOR = 8921 A
 $Q^2 = 0.027 \text{ GeV}^2$

Beam parameter correlations before regression

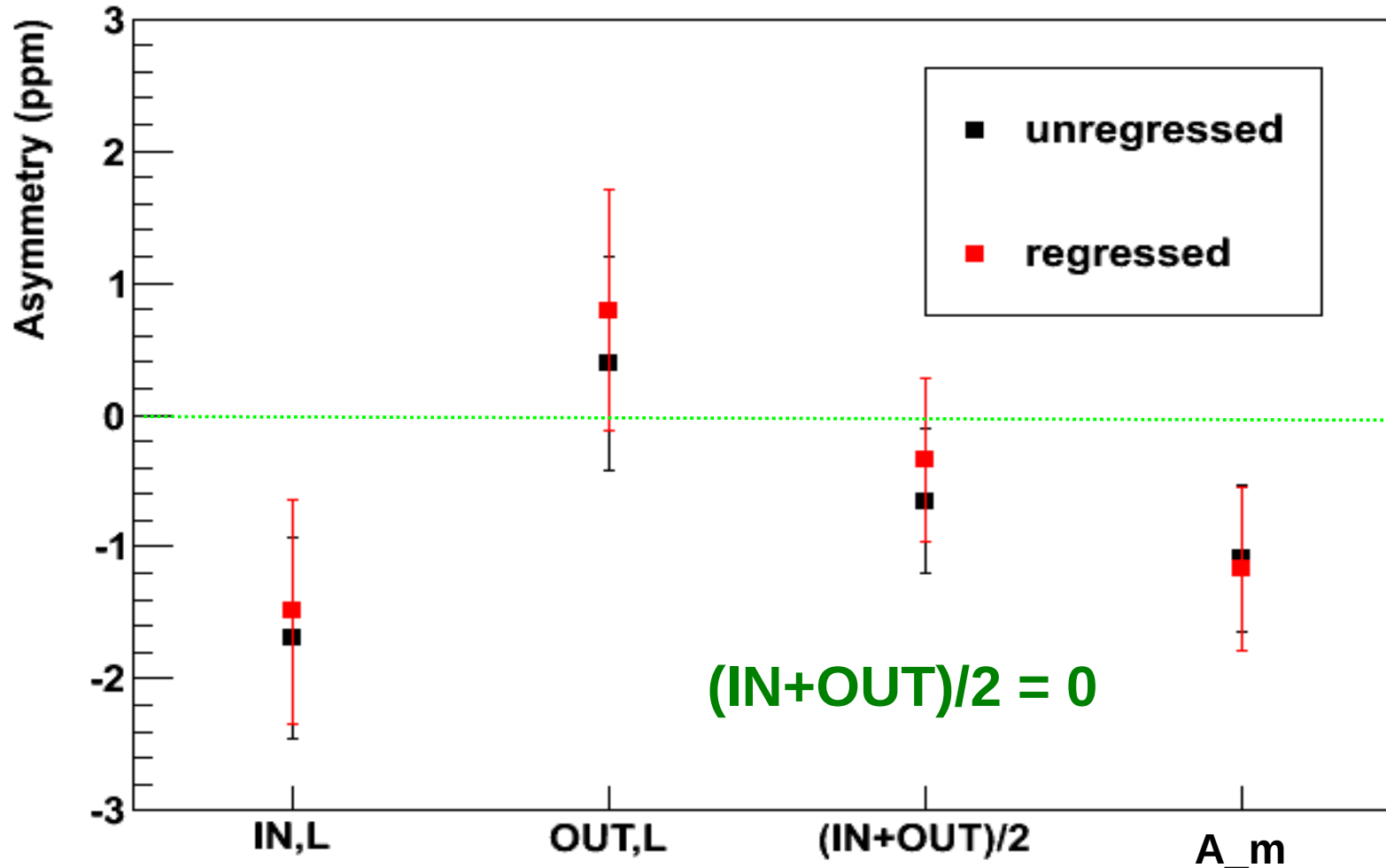


Beam parameter correlations after regression



Qweak $N \rightarrow \Delta$ Initial Measurement Data Quality

inelastic peak, LH2

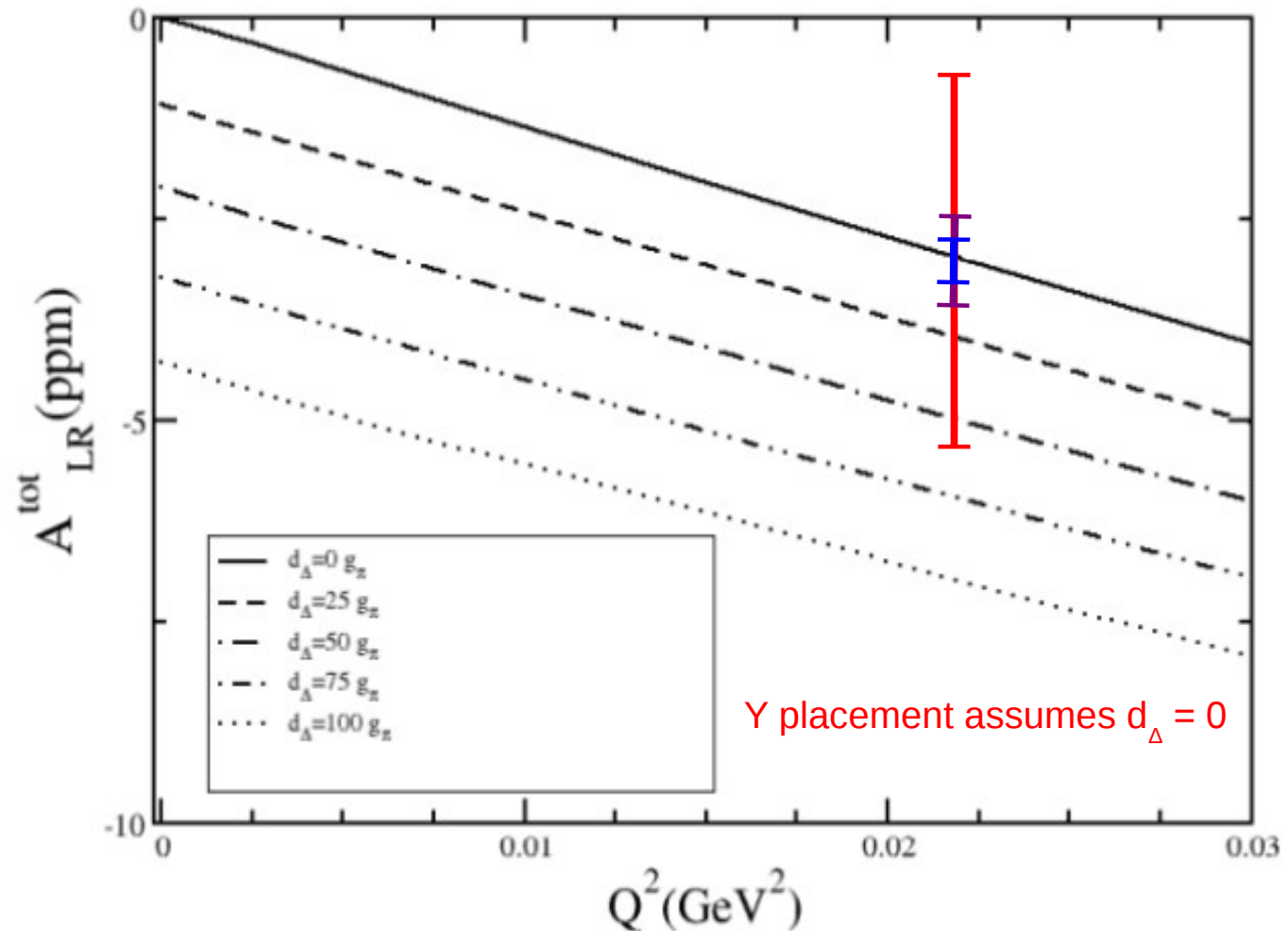


$$A_{\text{measured}} = -1.2 \pm 0.6 \text{ ppm}$$

Expected constraint on d_{Δ}

Expected error bars:

- initial measurement $\pm 50g_{\pi}$
- enough data to constrain inelastic background to $Q_{\text{weak}} \pm 13g_{\pi}$
- proposed $Q_{\text{weak}} N \rightarrow \Delta$ measurement $\pm 7g_{\pi}$



Status

Dilution factor simulation ongoing

More beam time scheduled for early January

Nonresonant contribution modeling beginning soon

+/- $50g_{\pi}$ constraint by December 2011

+/- $13g_{\pi}$ constraint by February 2012

+/- $7g_{\pi}$ constraint by June 2012

The Collaboration



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R.D. Carlini (PI)
S. Kowalski
S.A. Page

Project Manager:

G. Smith

22 Thesis Students

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Extra Slides

Models for $N \rightarrow \Delta$ interaction

1) “Default” model:

- MAID for $\Delta_{(2)}$
- use dipole form for $G_{N,\Delta}^A(Q^2)$ with
- $F(Q^2)$ from Adler parameterization (S.L. Adler PRD **12**(1975)2644)
parameters from N. Mukhopadhyay et al. (Nucl. Phys. A **633**(1998) 481.)

3) Dynamical Model of electroweak pion production:

K. Matsui, T. Sato & T.S.H. Lee, Phys. Rev. C **72**, 025204 (2005).
and T.S.H. Lee (private communication)

- hadronic effective chiral Lagrangian; field operators: $N, \Delta, \pi, \omega, \rho$ and
effective Lagrangians for $\pi NN, \pi N\Delta, \omega NN \dots$

- $\Delta_{(3)}$ uses alternate form: $G_{N,\Delta}^A(Q^2) = (1 + aQ^2)\exp(-bQ^2)G_A(Q^2)$.